



*The Abdus Salam
International Centre for Theoretical Physics*



1938-16

Workshop on Nanoscience for Solar Energy Conversion

27 - 29 October 2008

Charge Photogeneration and Collection in Dye Sensitized Solar Cells

Piers BARNES
*Imperial College London Dept of Chemistry
South Kensington Campus
London SW7 2AZ
U.K.*

Charge photogeneration and collection in dye sensitised solar cells

Piers Barnes, Assaf Anderson, Sara Koops, James Durrant, Brian O'Regan

Where do losses in current originate?

short circuit current

wavelength

$$IPCE(\lambda) = \frac{J_{sc}(\lambda)}{q \cdot \Phi_{ph}(\lambda)} = \eta_{lh}(\lambda) \cdot \eta_{inj}(\lambda) \cdot \eta_{ce}(\lambda)$$

IPCE

elementary charge

photon flux

light harvesting efficiency

injection efficiency

collection efficiency

Spectral Characteristics of Light Harvesting, Electron Injection, and Steady-State Charge Collection in Pressed TiO₂ Dye Solar Cells

Janne Halme,^{*,†} Gerrit Boschloo,[‡] Anders Hagfeldt,[‡] and Peter Lund[†]

Laboratory of Advanced Energy Systems, Department of Engineering Physics and Mathematics, Helsinki University of Technology, P.O. Box 5100, FIN-02015 TKK, Finland, and Center of Molecular Devices, Department of Chemistry, Physical Chemistry, Royal Institute of Technology (KTH), Teknikringen 30, SE-10044 Stockholm, Sweden

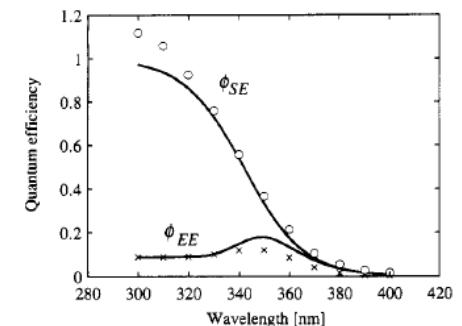
Received: November 28, 2007; In Final Form: January 21, 2008

Theoretical Models for the Action Spectrum and the Current–Voltage Characteristics of Microporous Semiconductor Films in Photoelectrochemical Cells

Sven Södergren,[†] Anders Hagfeldt,^{†,‡} Jörgen Olsson,[§] and Sten-Eric Lindquist^{*,‡}

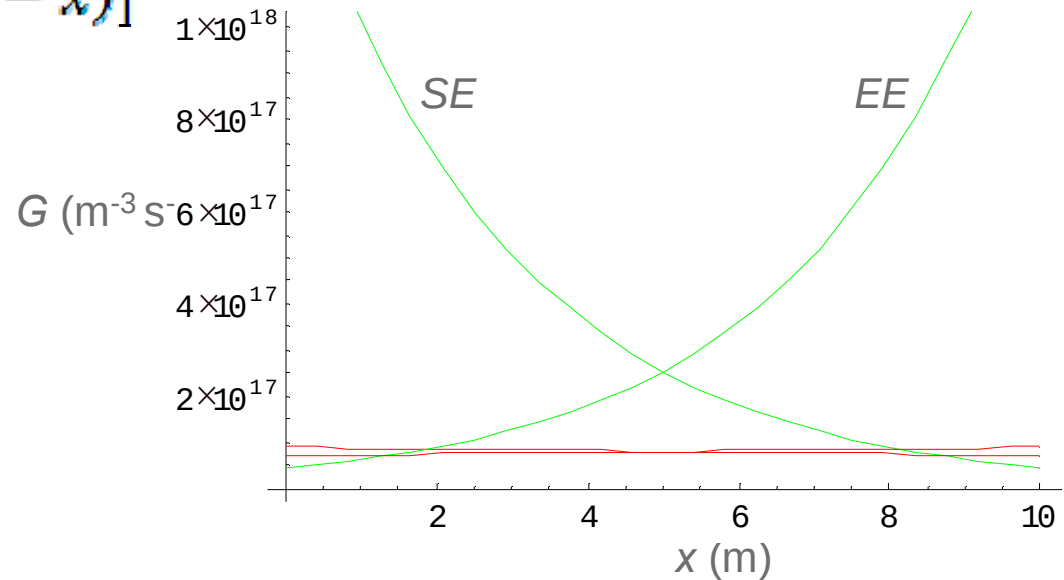
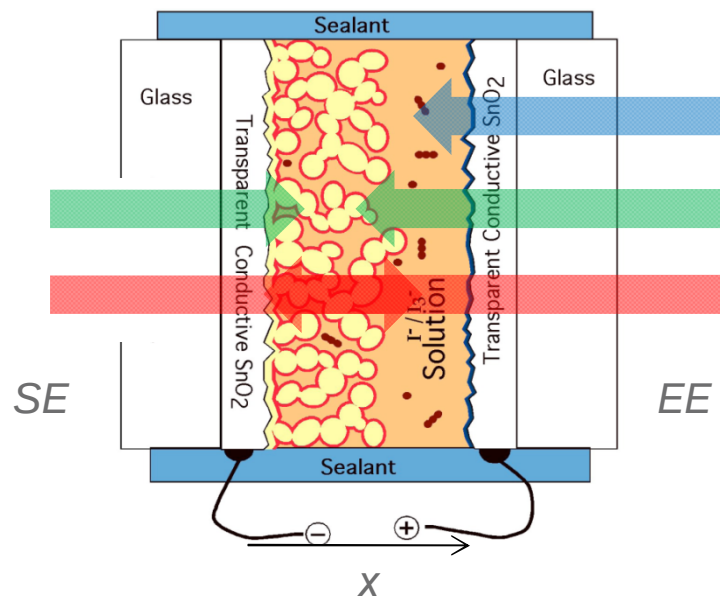
Departments of Physics and Physical Chemistry, University of Uppsala, Box 532, S-751 21 Uppsala, Sweden, and Department of Technology, Electronics, University of Uppsala, Box 534, S-751 21 Uppsala, Sweden

Received: February 9, 1994*



Diffusion length at J_{sc} from 'front' and 'back' IPCE

$$G(x) = \alpha I_0 \exp[-(\alpha + \alpha_t)(d - x)]$$

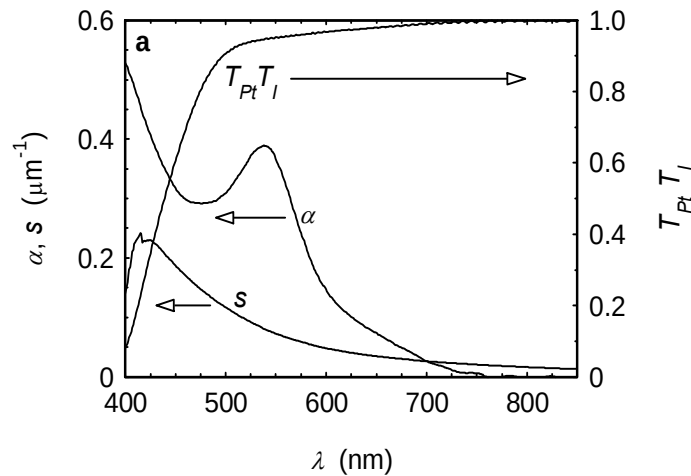


Assuming only 'conducting' electrons are mobile and can recombine

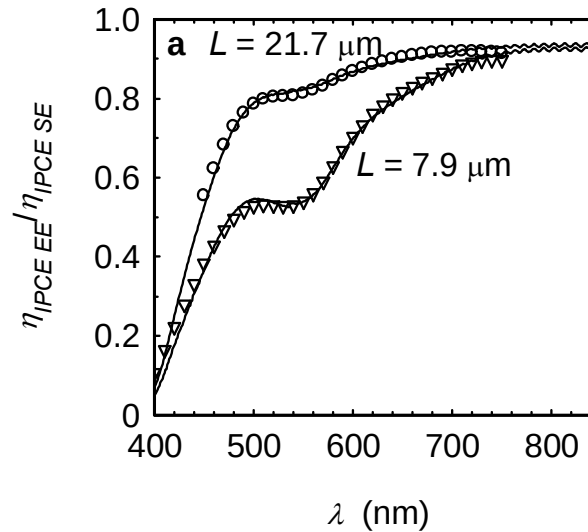
$$\frac{\partial n}{\partial t} = \eta_{inj} G(x) + D_0 \frac{\partial^2 n_c}{\partial x^2} - \frac{(n_c - n_{eq})}{\tau_0} \quad \text{at steady state}$$

η_{inj} assumed independent of λ and also E_F for N719

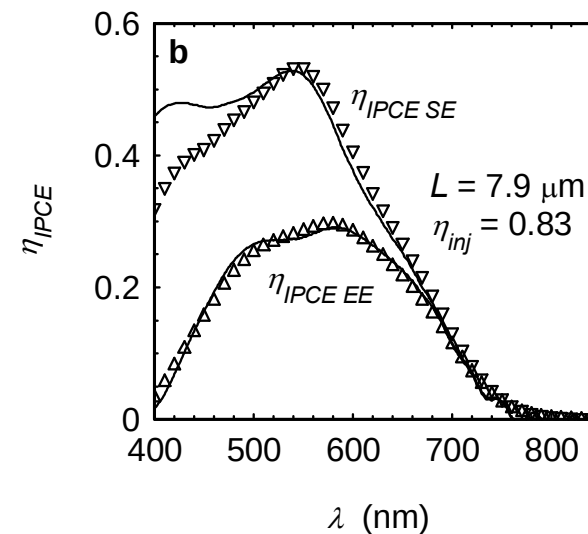
Determining L by fitting to IPCE data



- Measure cell and film thickness
- Measure optical absorption of dyed film, electrolyte and cell
- Measure IPCE from 'front' (SE) and 'back' (EE)
- Fit expression for EE/SE IPCE $\rightarrow L$
- Fit expression to IPCEs $\rightarrow \eta_{inj}$

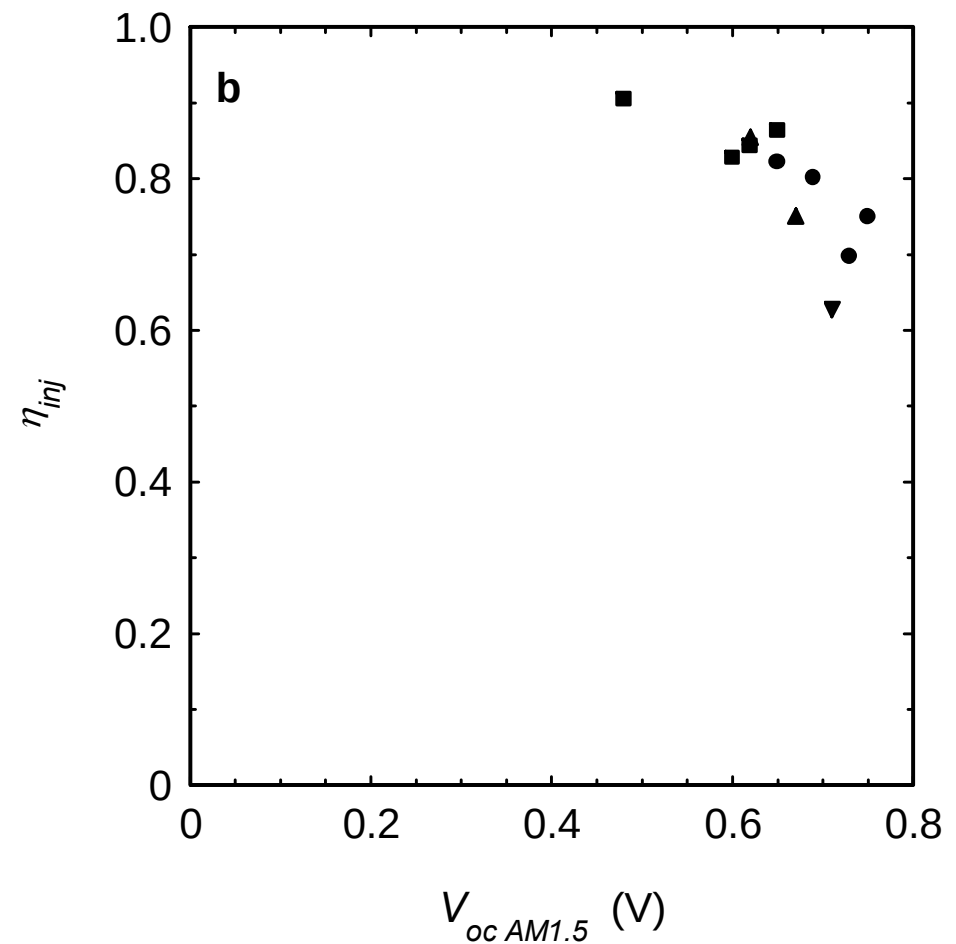
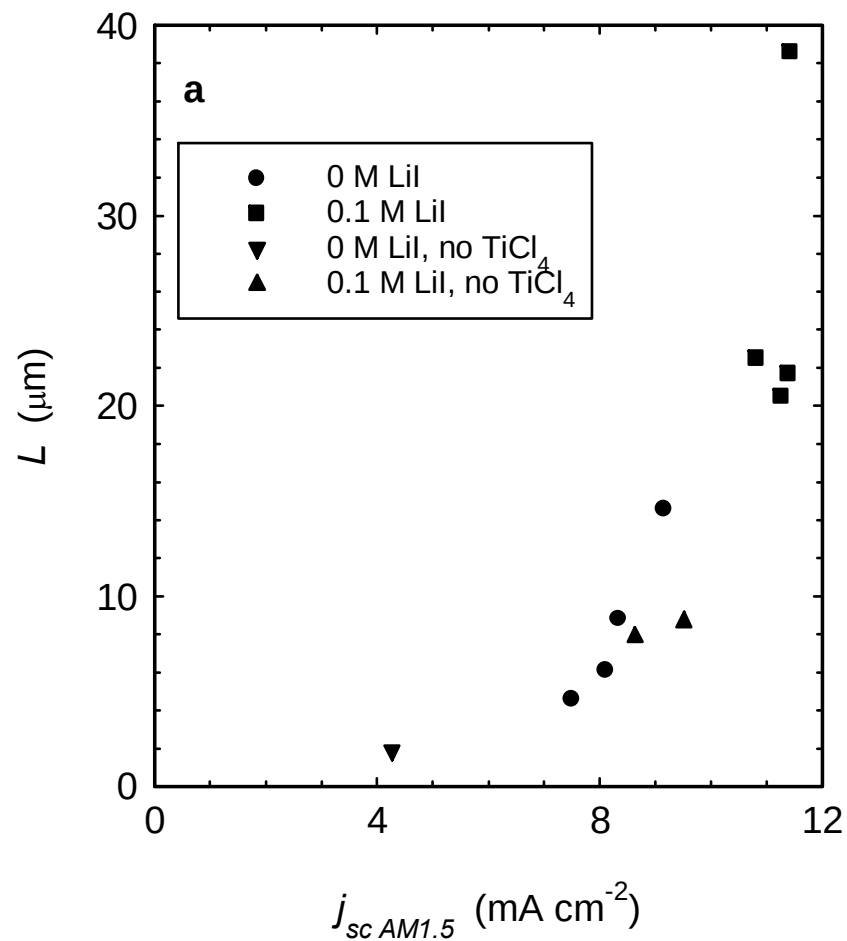


1 free parameter, L
Independent of calibration error

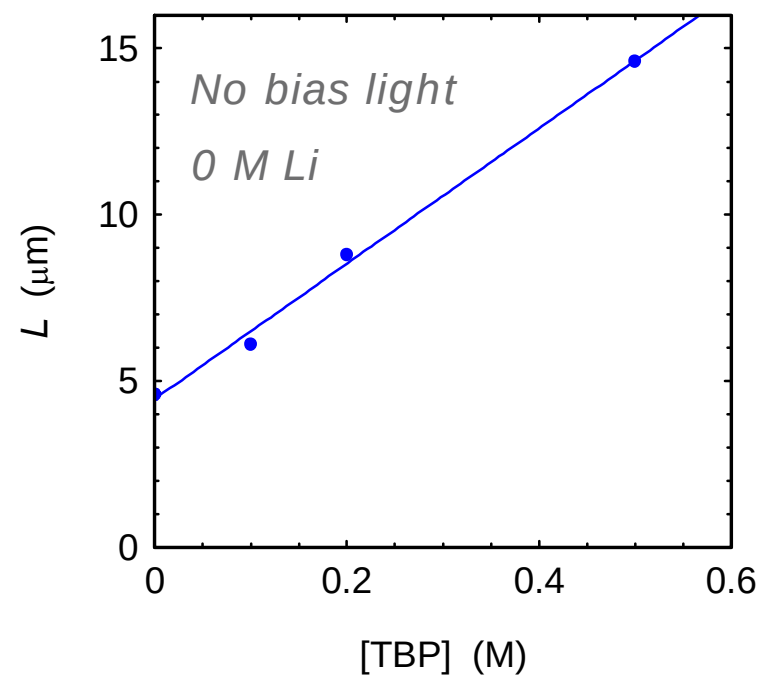
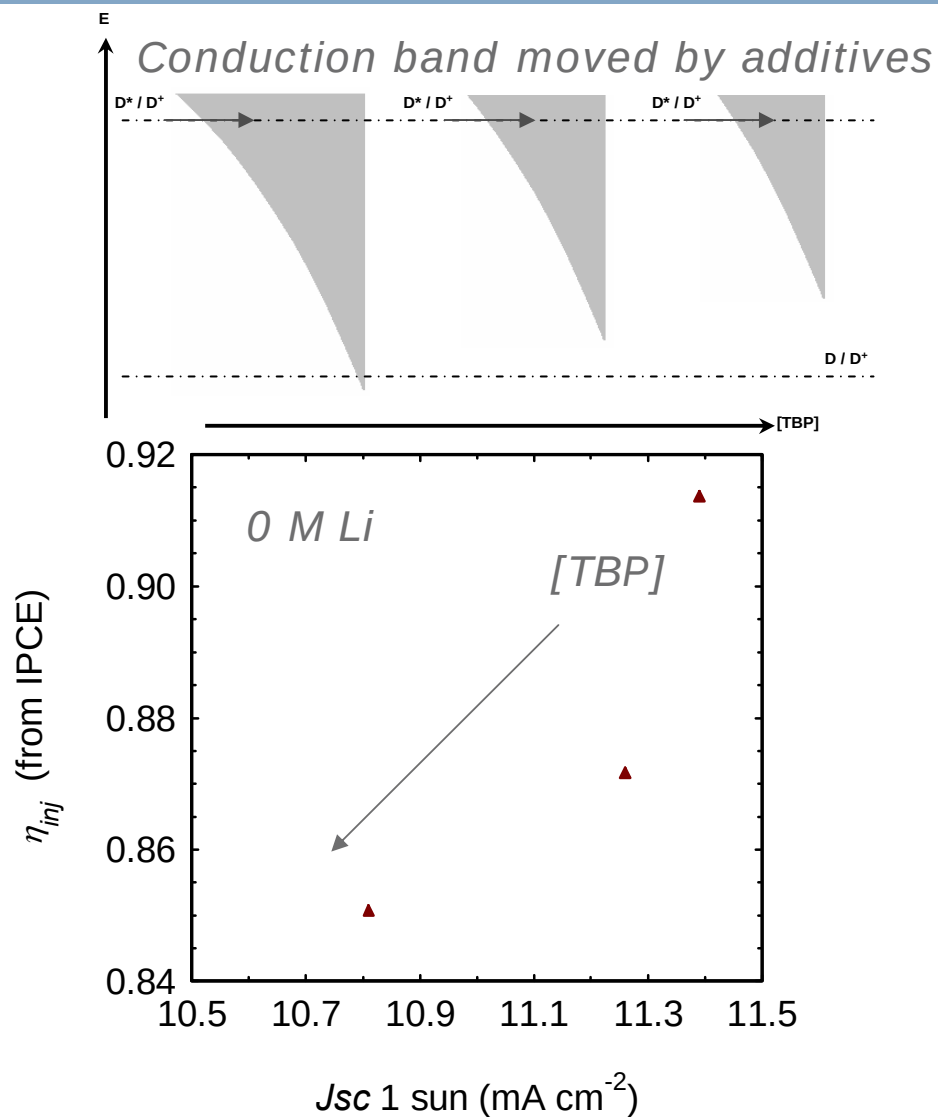


2 free parameters L and η_{inj}
Use L from above,
1 free parameter

Relationship between fit parameters and IV characteristics

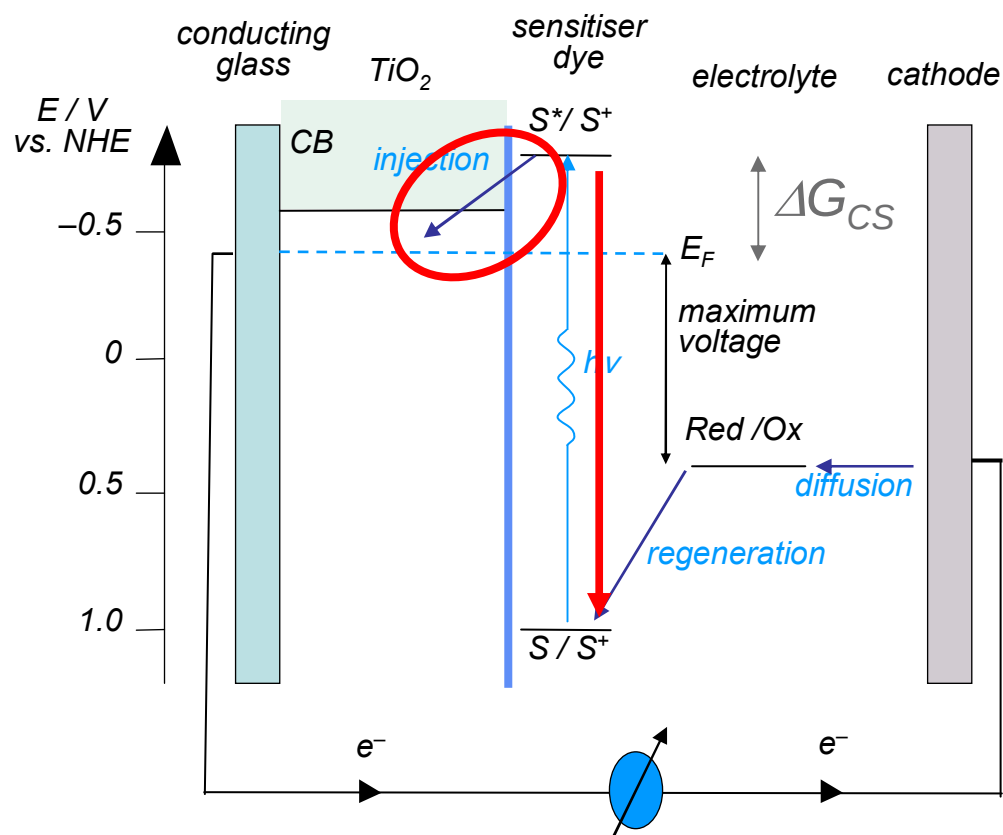


The influence of electrolyte composition



May indicate trap mediated recombination or an interaction between electrolyte and injected carriers at low charge concentrations

Energetics of charge separation: Electron injection

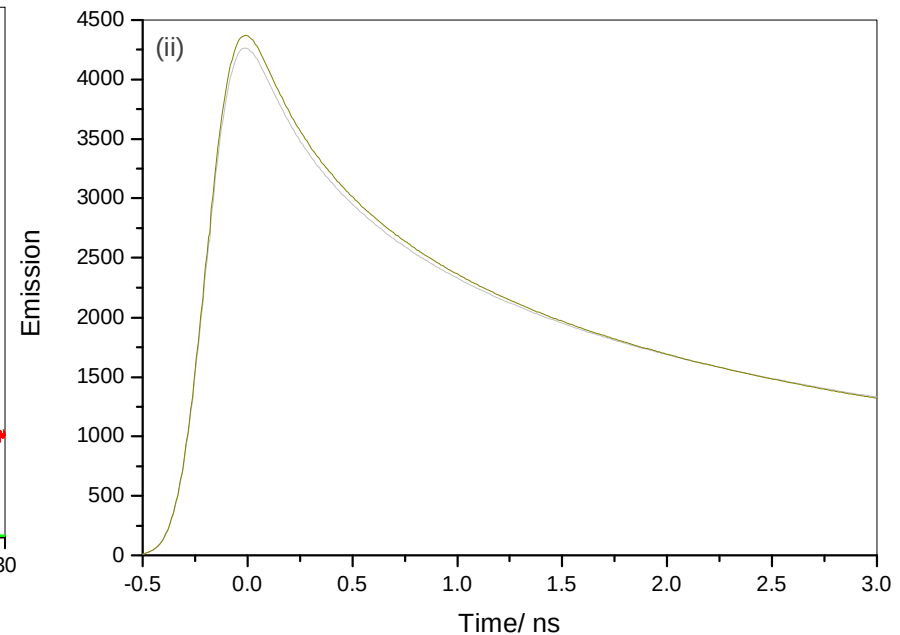
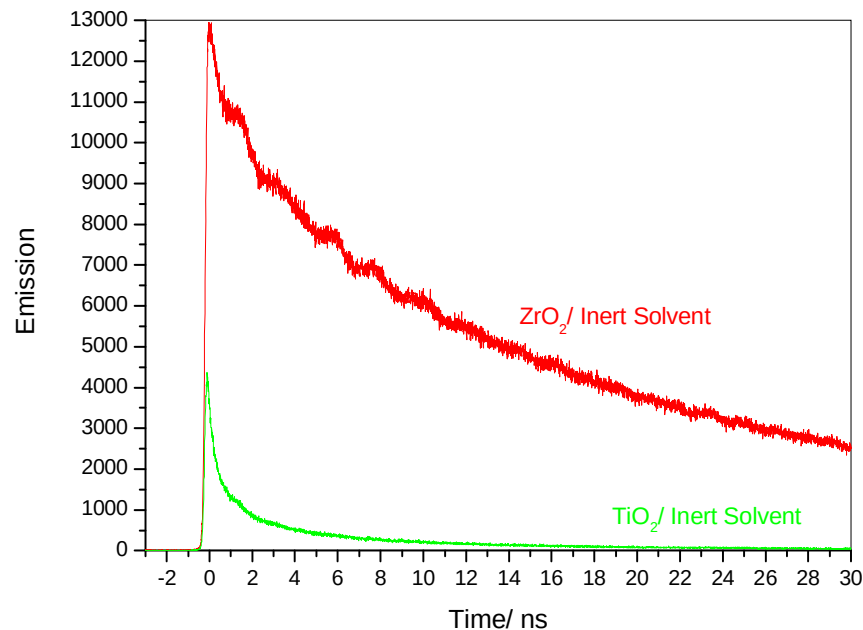


- $Dye^* \rightarrow Dye^+ + TiO_2(e^-)$
- Kinetics dependent upon:
 - Electronic coupling
 - Energetics
- Can occur on femtosecond timescales if coupling and energetics sufficiently favourable.
- Efficient device performance only requires injection to be fast compared to excited state decay to ground

For most 'optimised' DSSCs, injection efficiency is a key limitation on device performance

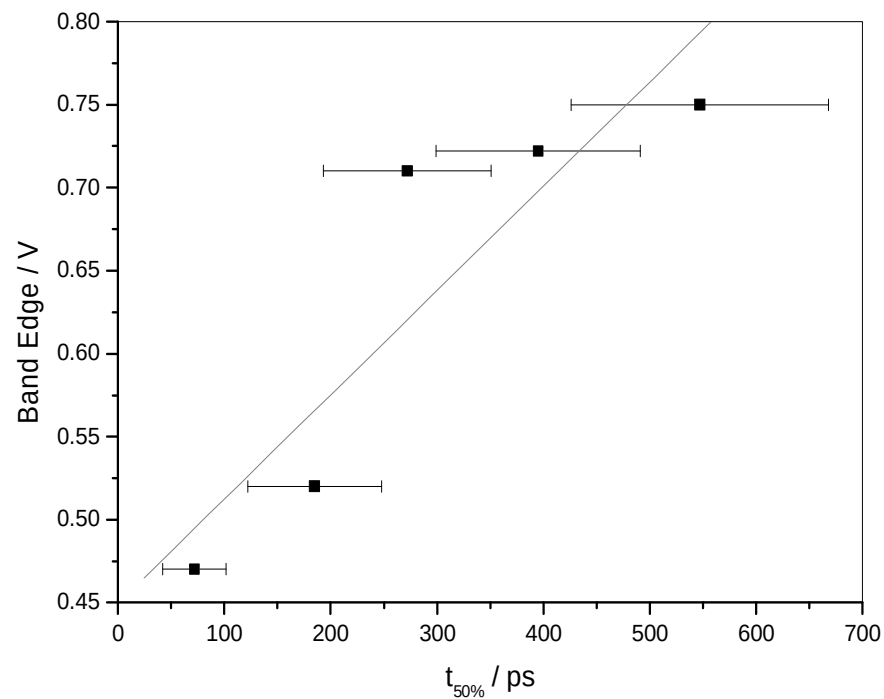
Single Photon Counting – injection efficiency

Identical cells fabricated using injecting and non injecting substrates (titania or zirconia) – emission quenched by injection



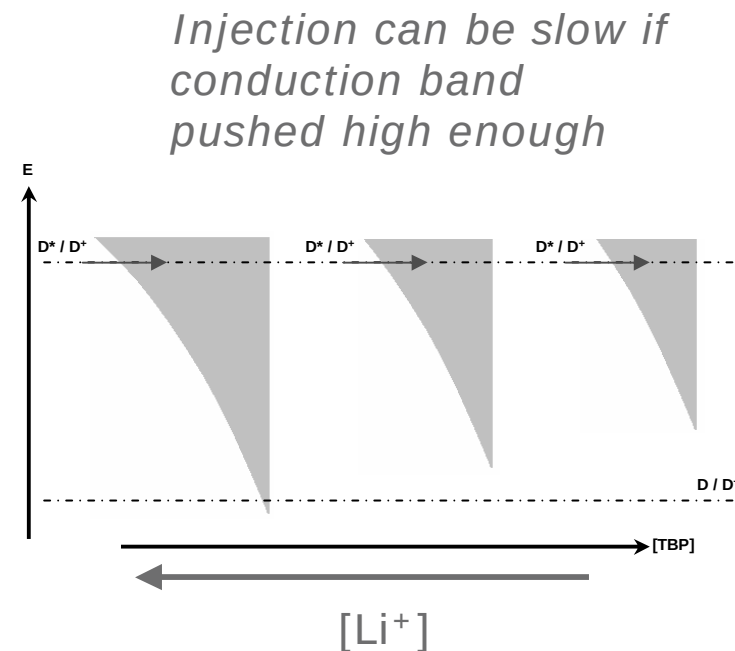
Emission decays fit using a stretched exponential convolved with instrument response function $\rightarrow t_{1/2}$ and η_{inj}

Injection speed - Single Photon Counting



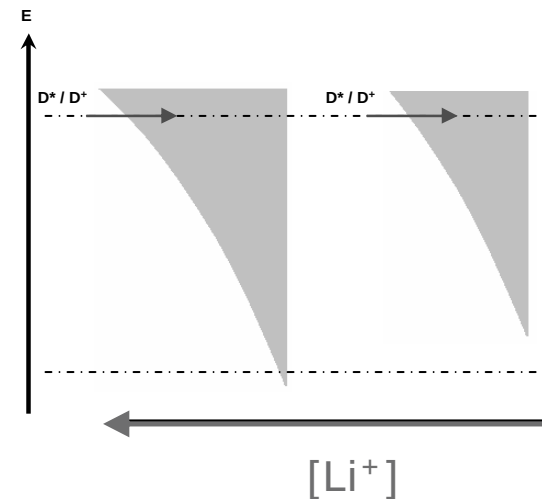
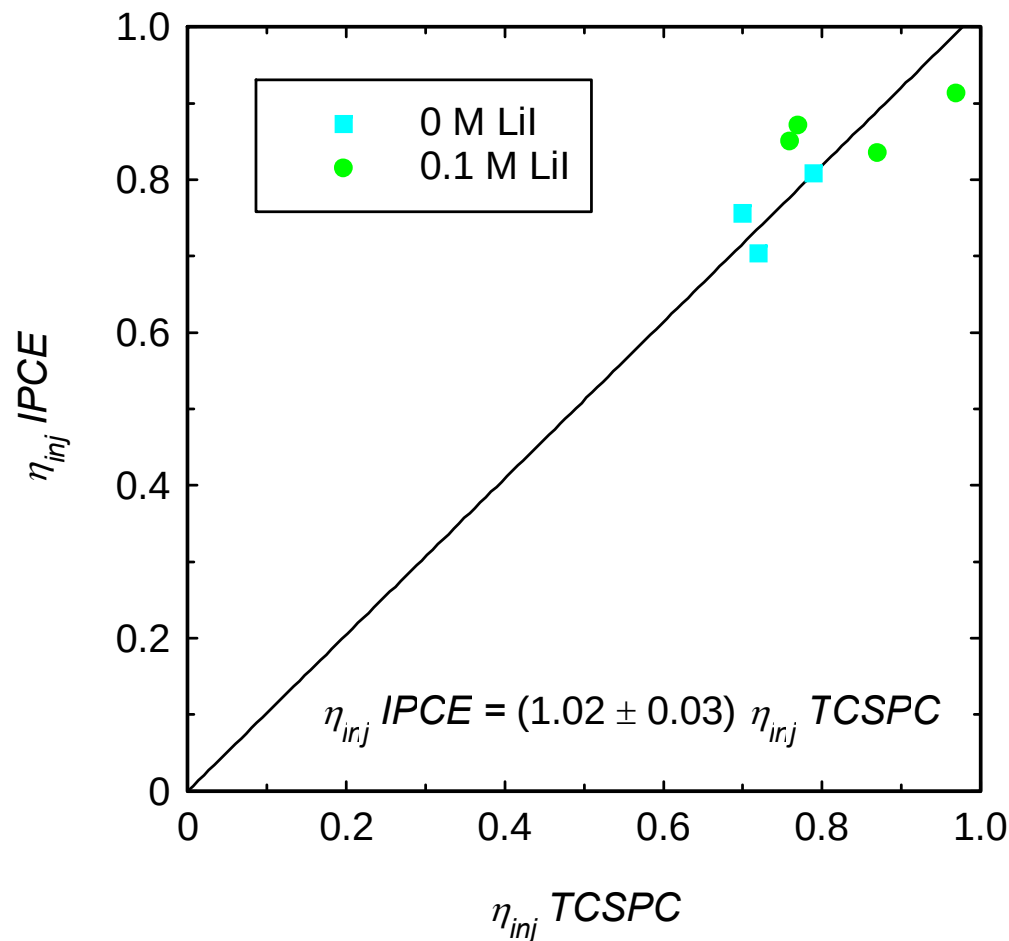
300 meV shift in CB results in ~ 10 fold retardation of injection

$$k_{inj} \propto \text{DOS}_{cb} \propto \exp(E/E_0), E_0 \sim 100\text{-}150 \text{ meV}$$



Time Correlated Single Photon Counting – η_{inj}

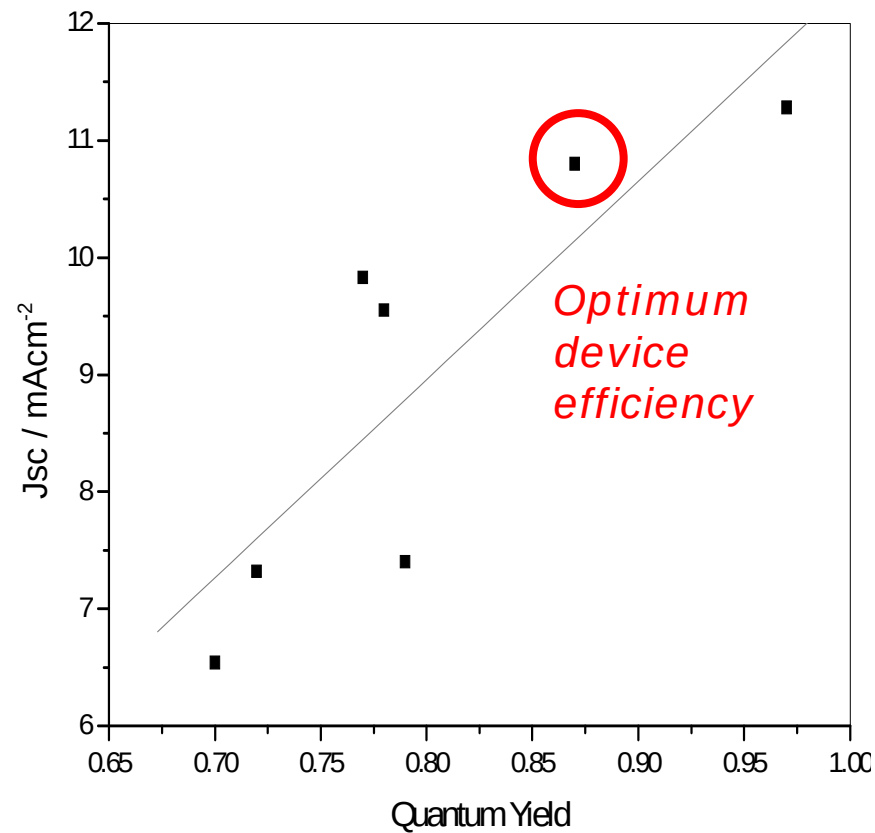
Identical cells fabricated using injecting and non injecting substrates (titania or zirconia) – emission quenched by injection



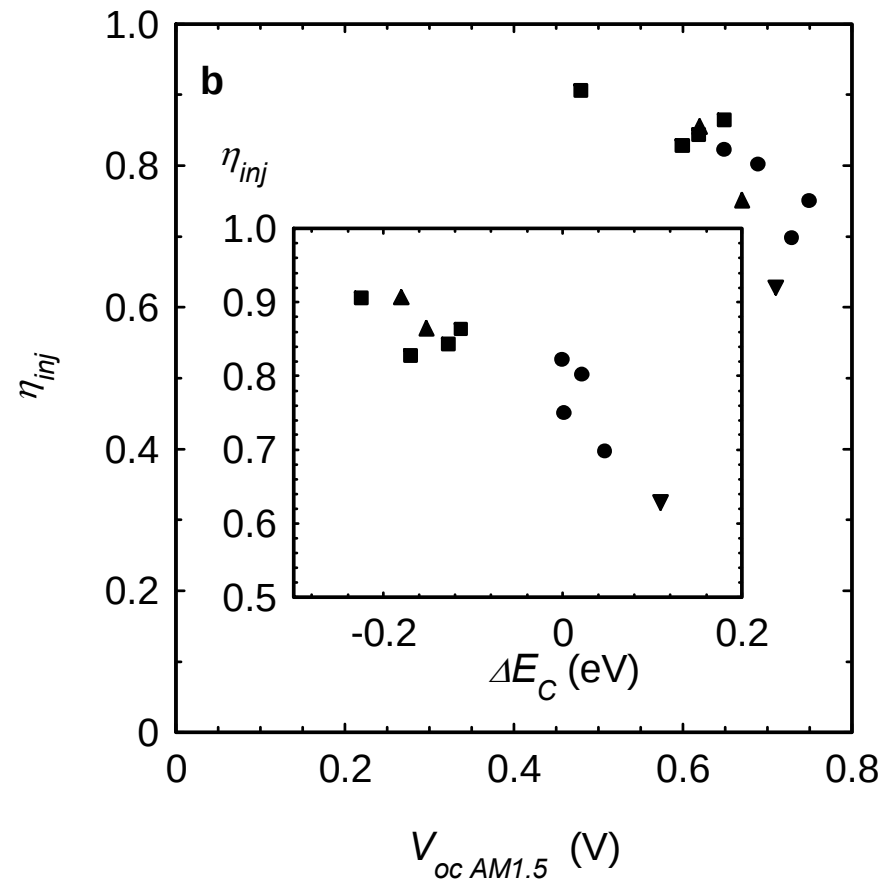
Li increases injection and collection

Highest η_{inj} does not optimise cell efficiency

TCSPC ($d = 4 \mu\text{m}$)



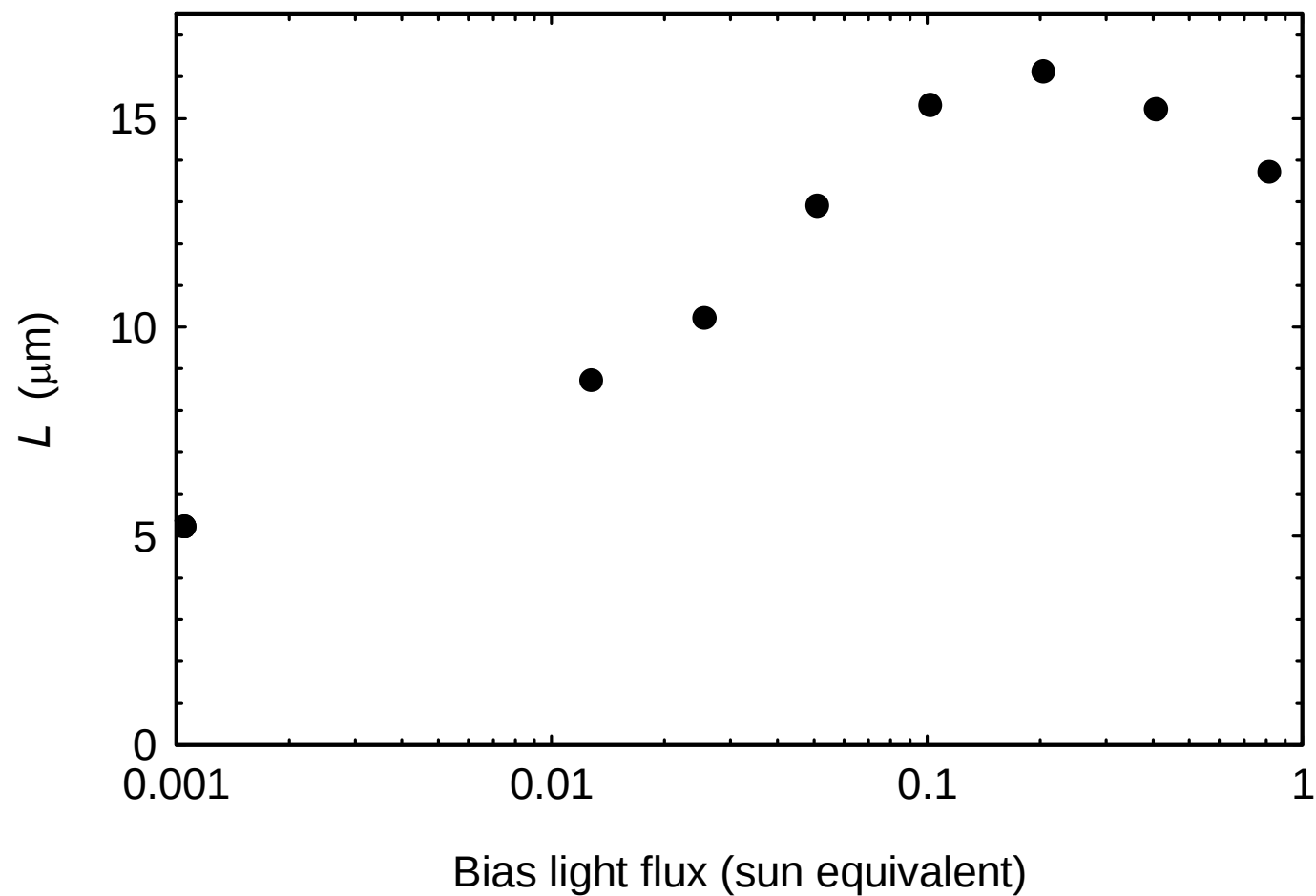
IPCE ($d = 13 \mu\text{m}$)



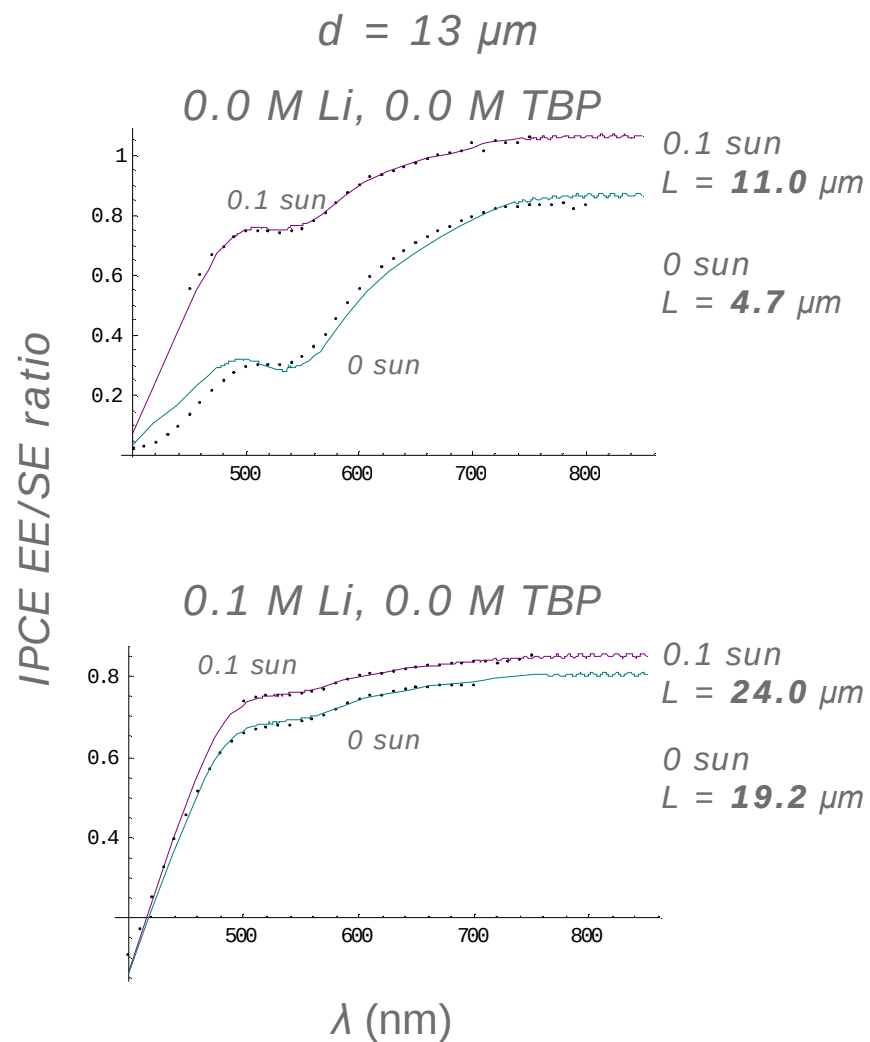
The effect of light intensity on L

$d = 13 \mu\text{m}$

$0.0 \text{ M Li}, 0.0 \text{ M TBP}$



The effect of light intensity on L



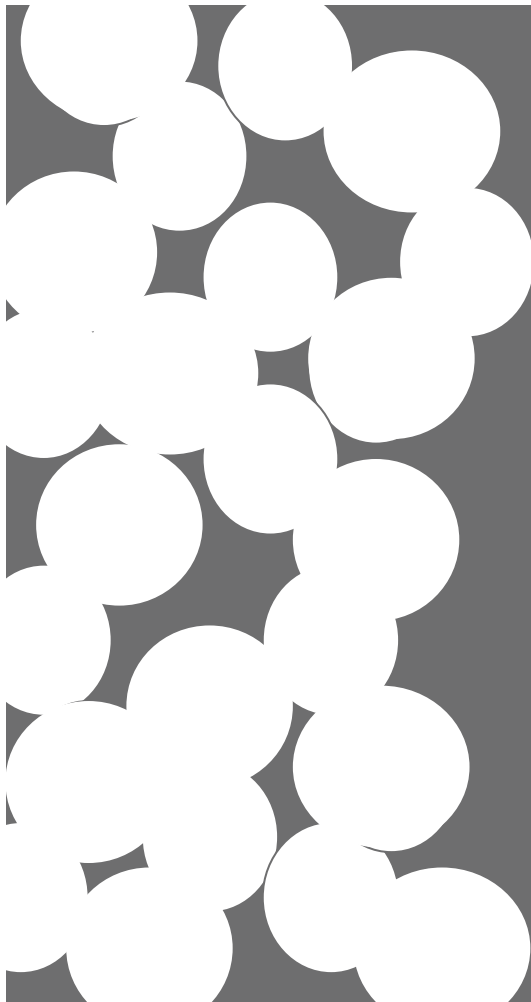
$$J_{\text{sc}} = \Phi \int_0^L \eta(\lambda) I(\lambda) d\lambda$$

Bias light increases L

Cell	Measured, 1 (mA cm ⁻²) sun (Xe lamp)	No bias light	0.1 sun bias light
0.0 M Li	J_{sc} 7.5	$J_{\text{AM1.5 calc}}$ 4.5	$J_{\text{AM1.5 calc}}$ 7.1
0.1 M Li	11.4	11.4	11.7

Predicted photocurrents are closer to observed

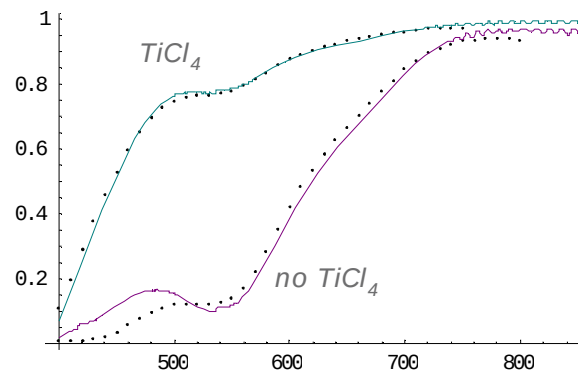
TiCl₄ treatment



$d = 13 \mu\text{m}$, no bias light

0.0 M Li, 0.5 M TBP

IPCE EE/SE ratio



with TiCl₄

$L = 14.6 \mu\text{m}$, $\eta_{inj} \sim 76 \%$

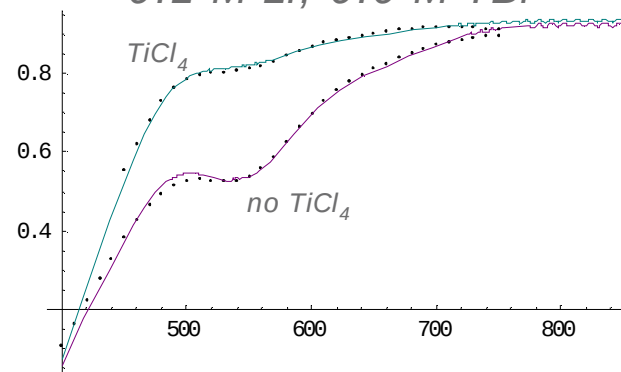
$J_{sc} = 9.2 \text{ mA cm}^{-2}$

no TiCl₄

$L = 1.9 \mu\text{m}$, $\eta_{inj} \sim 83 \%$

$J_{sc} = 4.3 \text{ mA cm}^{-2}$

0.1 M Li, 0.0 M TBP



with TiCl₄

$L = 21.7 \mu\text{m}$, $\eta_{inj} \sim 91 \%$

$J_{sc} = 11.4 \text{ mA cm}^{-2}$

no TiCl₄

$L = 7.9 \mu\text{m}$, $\eta_{inj} \sim 87 \%$

$J_{sc} = 8.6 \text{ mA cm}^{-2}$

$\lambda \text{ (nm)}$

Is diffusion length a useful concept?

$$L = \sqrt{D_n \tau_n}$$

$\tau_n \rightarrow$ 'effective' electron lifetime

$D_n \rightarrow$ 'effective' electron diffusion coefficient

Disordered system – multiple trapping model

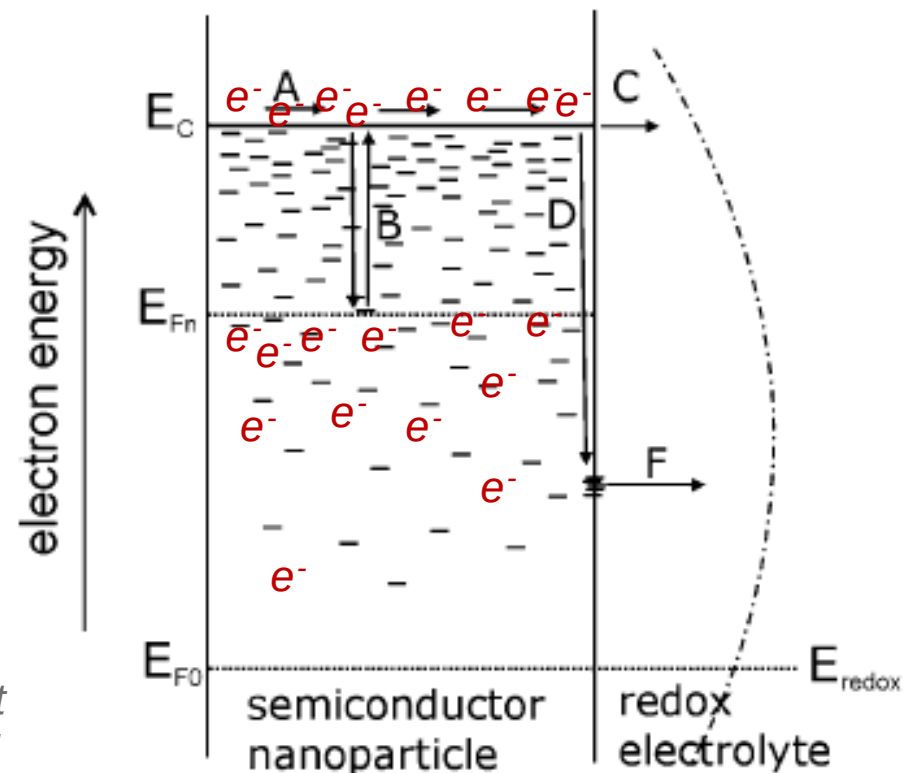
$n_c \rightarrow$ conduction band
electron concentration

$n_L \rightarrow$ localised trapped
electron concentration

Quasi-static approximation
(e.g. Bisquert and Vikhrenko, 2004)

$$\frac{\partial n_L}{\partial t} = \frac{\partial n_L}{\partial n_c} \frac{\partial n_c}{\partial t}$$

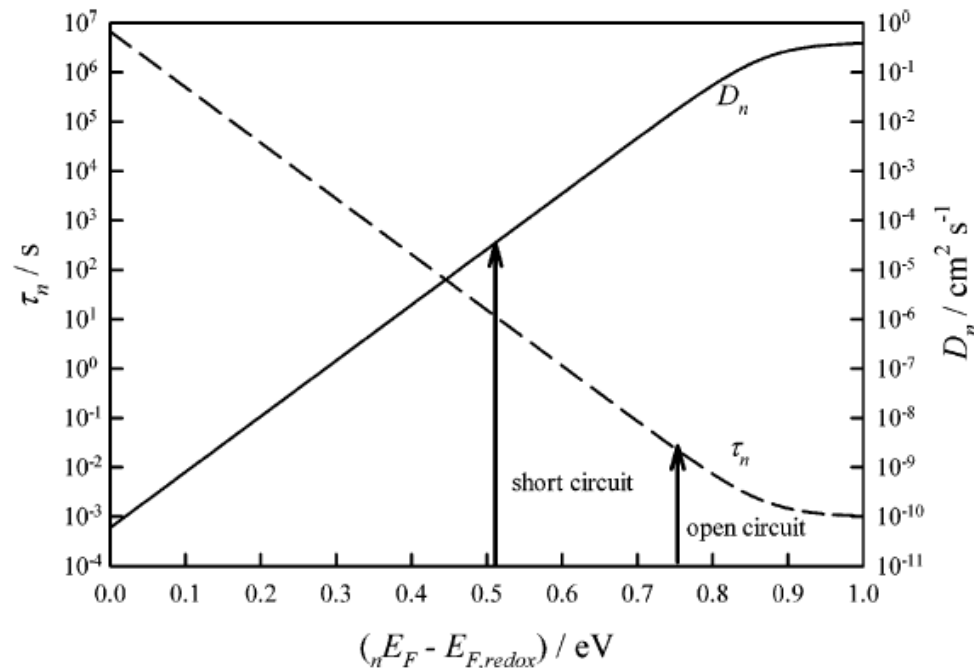
*Rate of trapping and de-trapping fast
relative to other processes in the cell*



Diffusion Length from small perturbation methods

$\tau_n \rightarrow$ effective electron lifetime

$D_n \rightarrow$ effective electron diffusion coefficient



(Peter, 2006)

$$\sqrt{D_0 \tau_0} = \sqrt{D_n \tau_n}$$

L should be independent of n_c and thus x – if quasistatic model obeyed

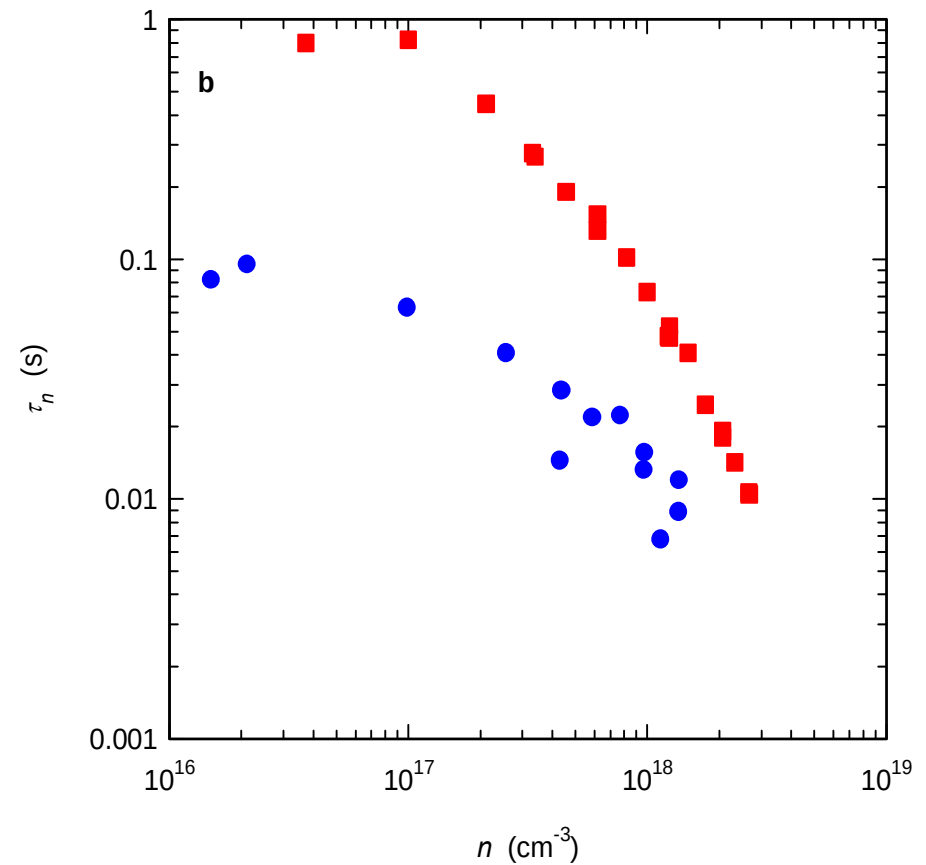
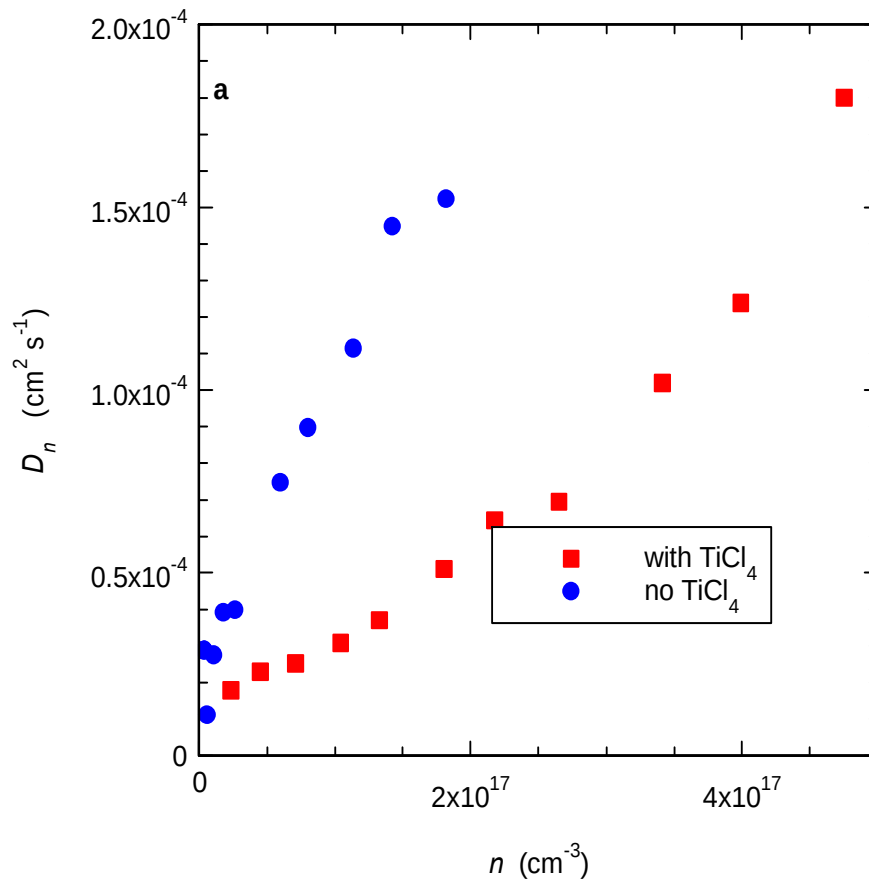
$$L = \sqrt{D_n \tau_n} \quad \text{Must use matched } n \text{ measurements}$$

TiCl_4 treatment – short circuit transients

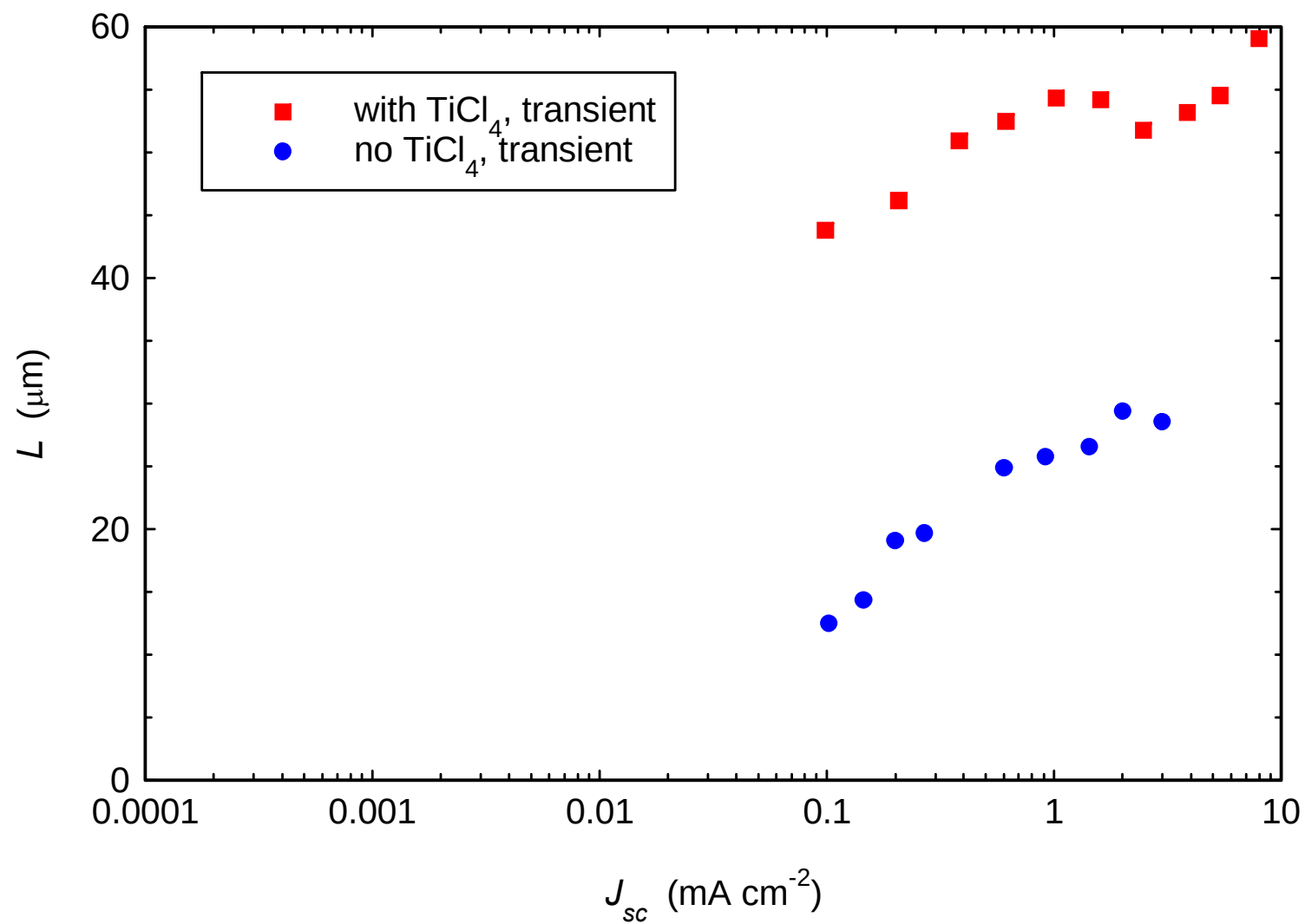
$d = 13 \mu\text{m}$

$0.0 \text{ M Li}, 0.5 \text{ M TBP}$

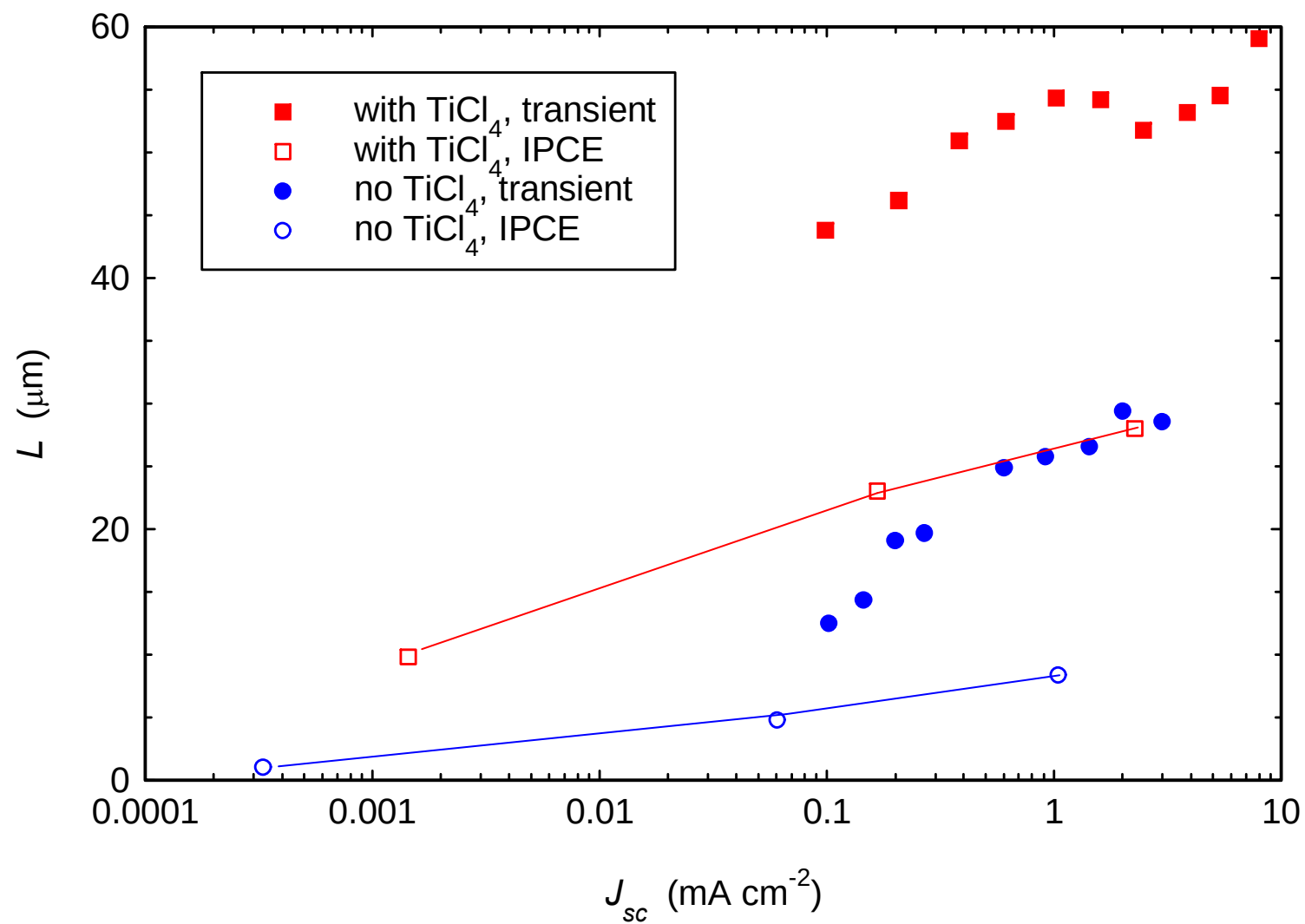
Drop in effective diffusion coefficient– but substantial increase in electron lifetime



TiCl_4 treatment – L



TiCl_4 treatment – L



L_{IPCE} correctly predicts photocurrent

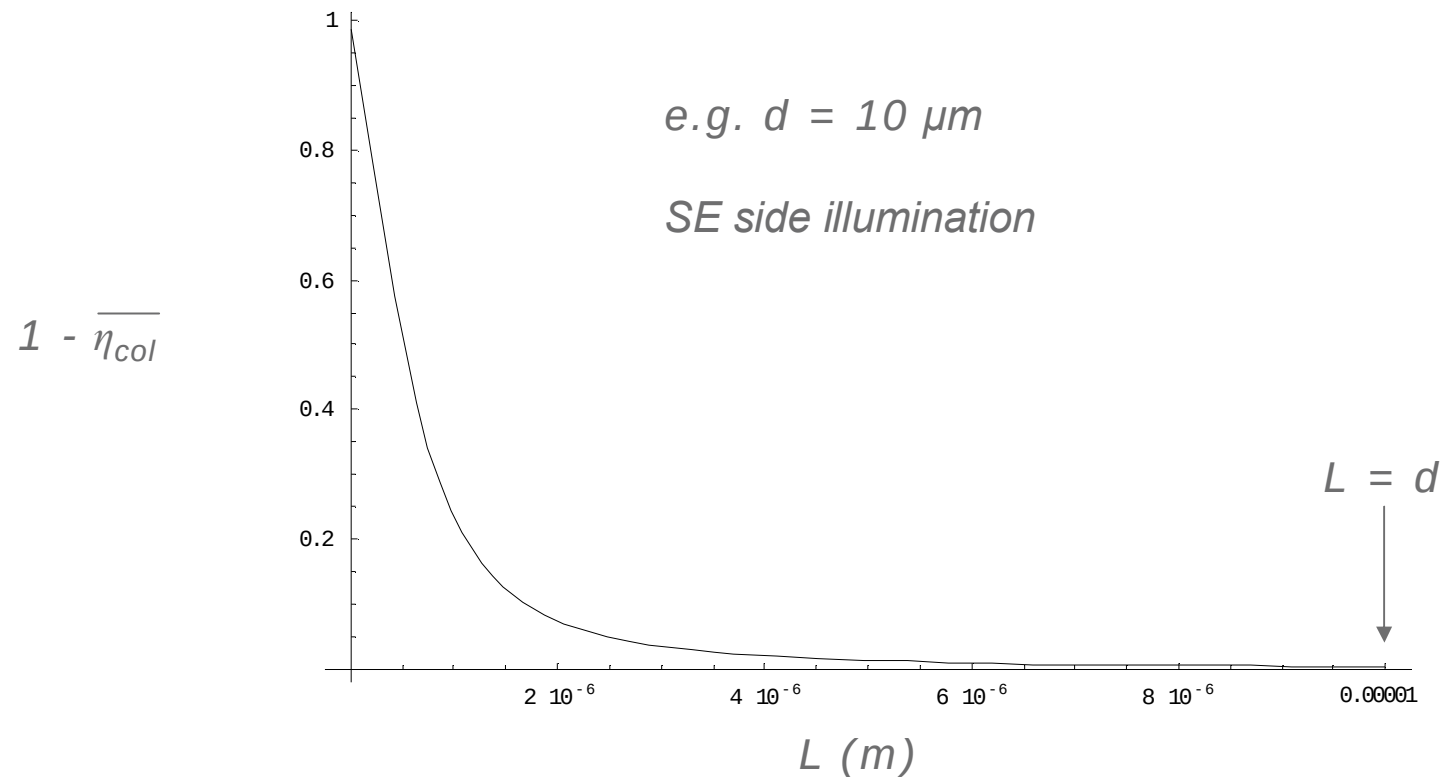
$$j_{sc} = \Phi \cdot \frac{q}{h\nu} \cdot \frac{L_{IPCE}}{L_{trans}} \cdot \frac{L_{trans}}{L_{IPCE}} \quad q\Phi = 68.3 \text{ mA cm}^{-2} (\lambda < 4000 \text{ nm})$$

Measured ($j_{sc \text{ AM1.5}}$) and calculated ($j_{sc \text{ calc}}$) photocurrents for two cells ($d = 13.5 \mu\text{m}$) prepared with and without the TiCl_4 treatment under 'front' and 'back' illumination (SE and EE side).

cell, illumination direction	$j_{sc \text{ AM1.5}}$ [measured] (mA cm ⁻²)	L_{IPCE} (μm)	L_{trans} (μm)	 [AM1.5]	η_{inj}	 [L_{IPCE}]	 [L_{trans}]	$j_{sc \text{ calc}}$ [L_{IPCE}] (mA cm ⁻²)	$j_{sc \text{ calc}}$ [L_{trans}] (mA cm ⁻²)
no TiCl_4 , SE	5.2	8.3	20	0.18	0.63	0.67	0.91	5.0	7.1
no TiCl_4 , EE	3.8	8.3	20	0.16	0.63	0.49	0.85	3.4	5.9
with TiCl_4 , SE	8.9	28	55	0.20	0.69	0.95	0.99	8.9	9.3
with TiCl_4 , EE	7.8	28	55	0.18	0.69	0.91	0.98	7.7	8.3

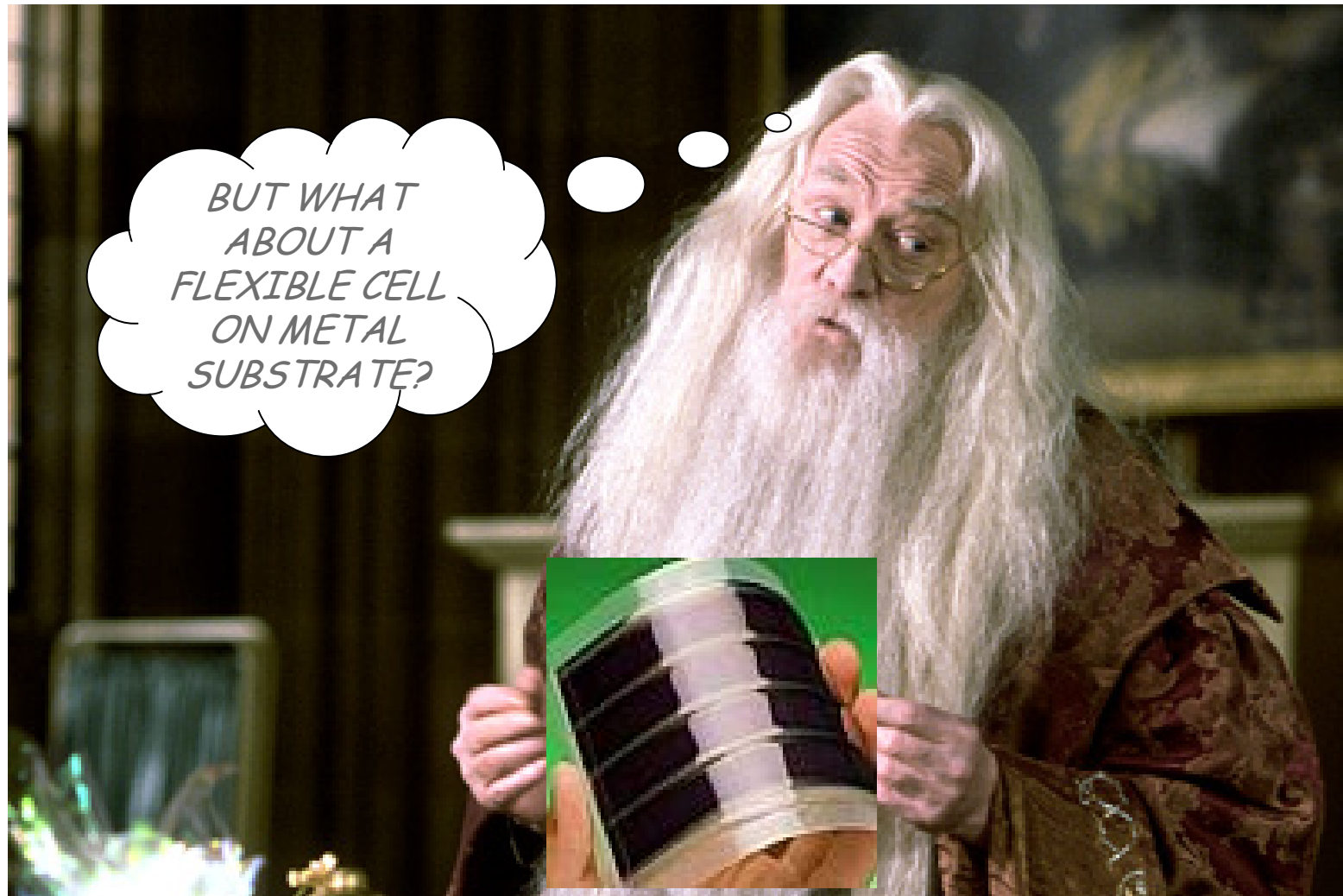
What influence does L have on a typical cell?

$\overline{\eta_{col}}$ = Fraction of injected charge recombining before collection under AM1.5 illumination and N719 absorption

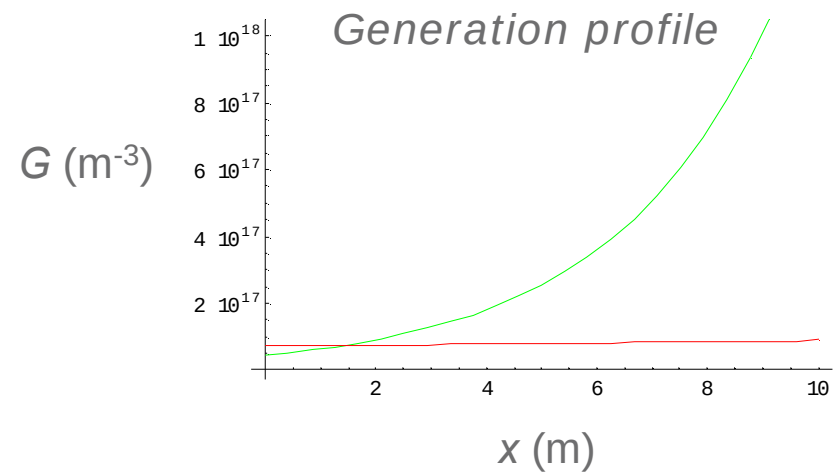
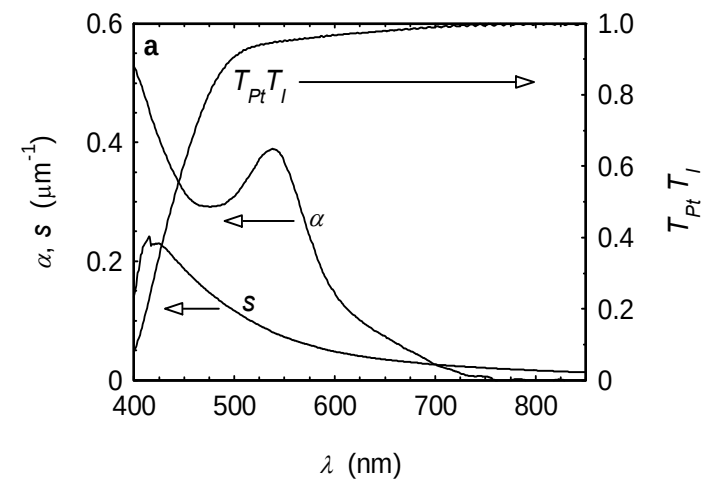
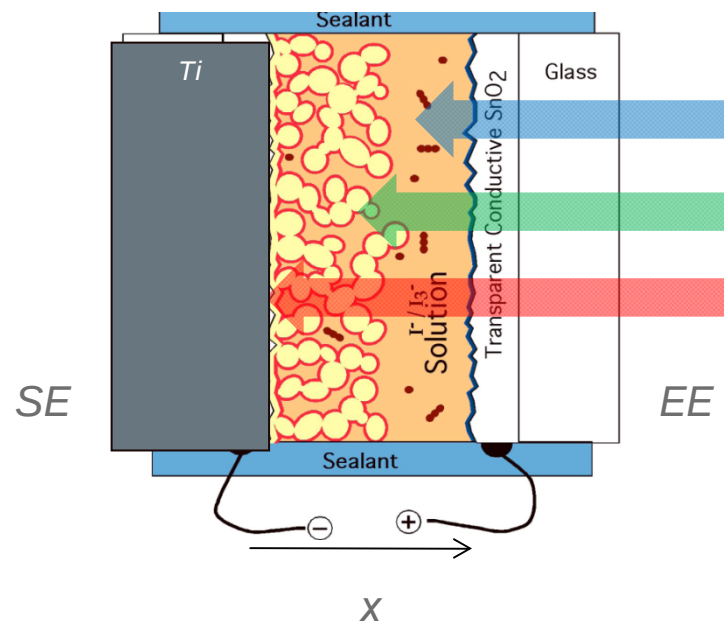


Recombination losses only significant when $L < d$, so not much for 'front' illumination

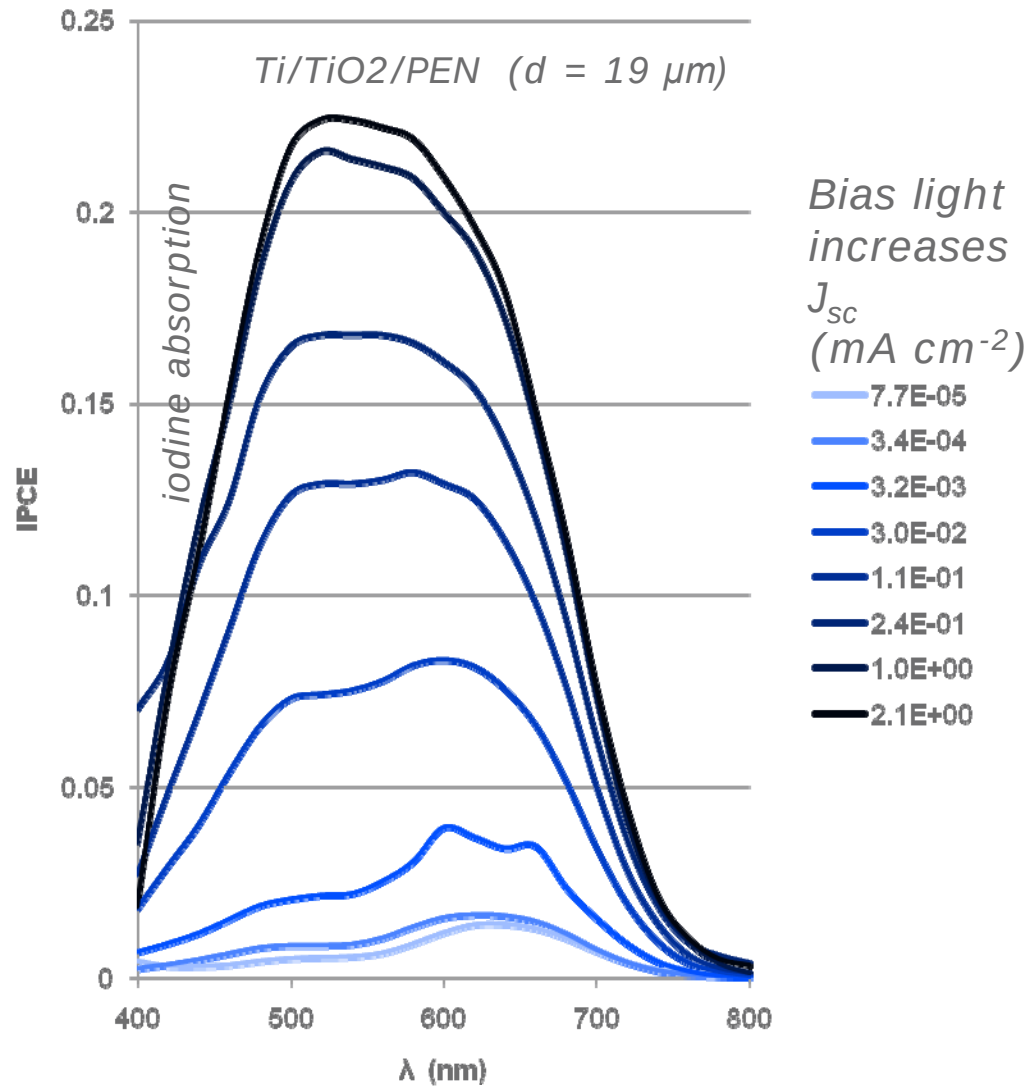
What influence does λ have on a typical cell?



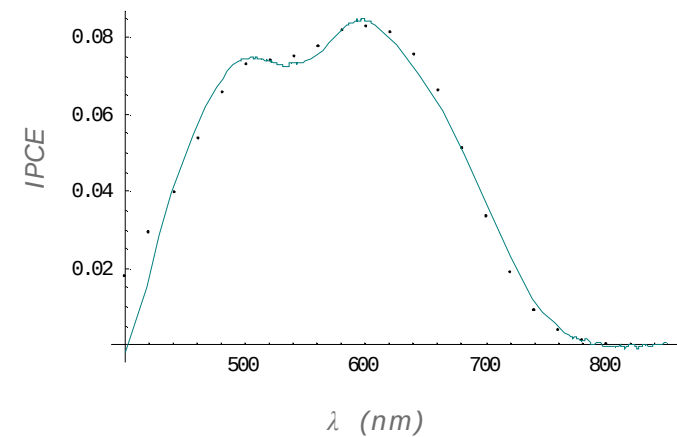
Metal substrates – EE side only illumination



EE side only illumination – metal substrates

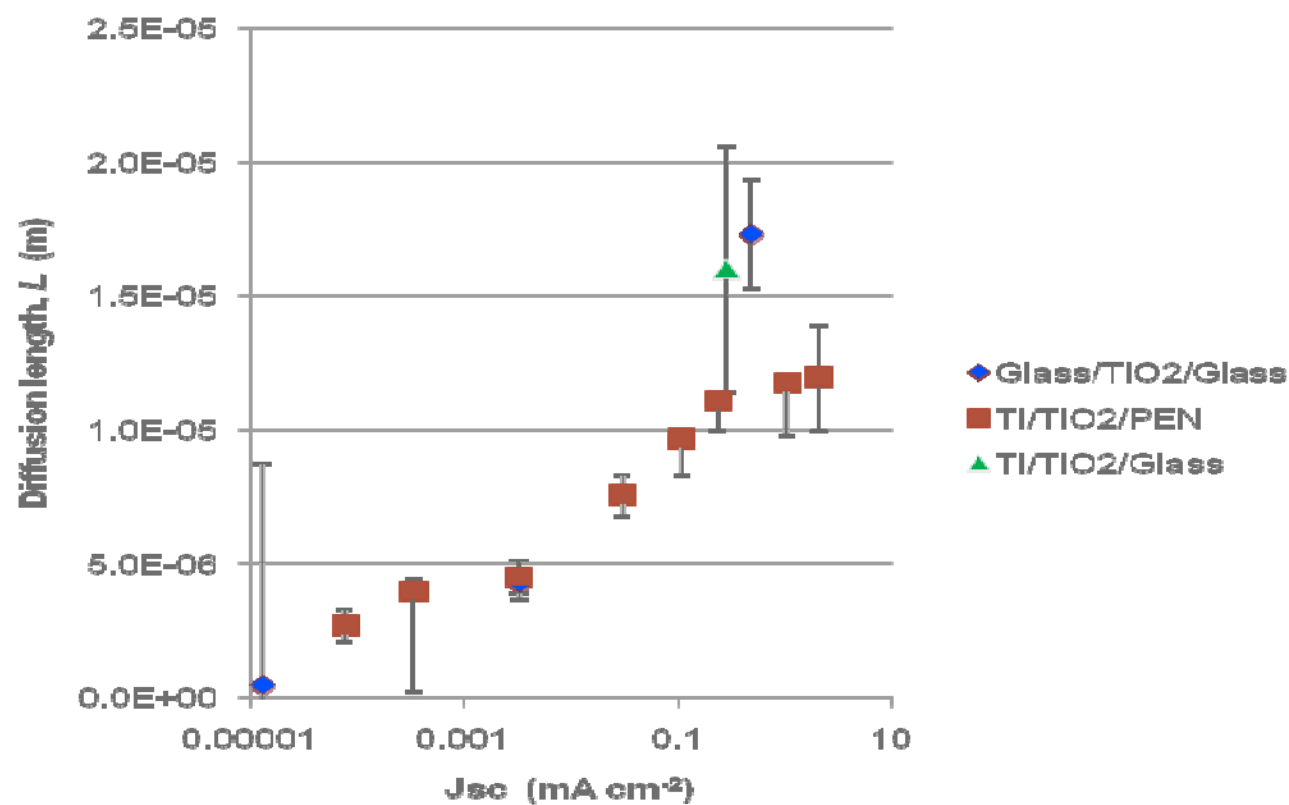


*2 parameter fit:
 L and loss (η_{inj} and optical)*



$J_{sc} = 0.03 \text{ mA cm}^{-2}$
 $L = 7.6 \mu\text{m}$
 loss = 0.35

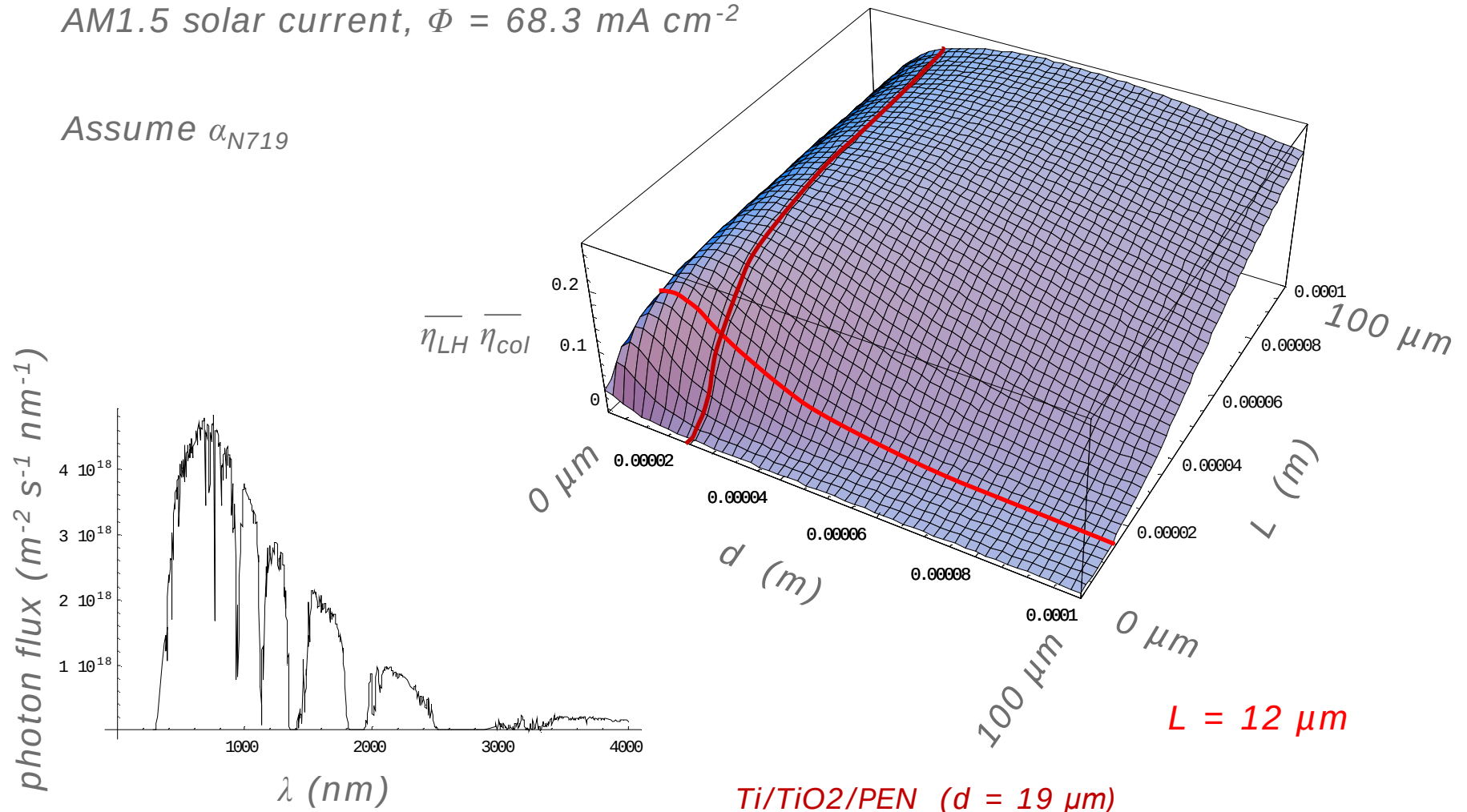
EE side only illumination – metal substrates



Collection efficiency dependence on d and L

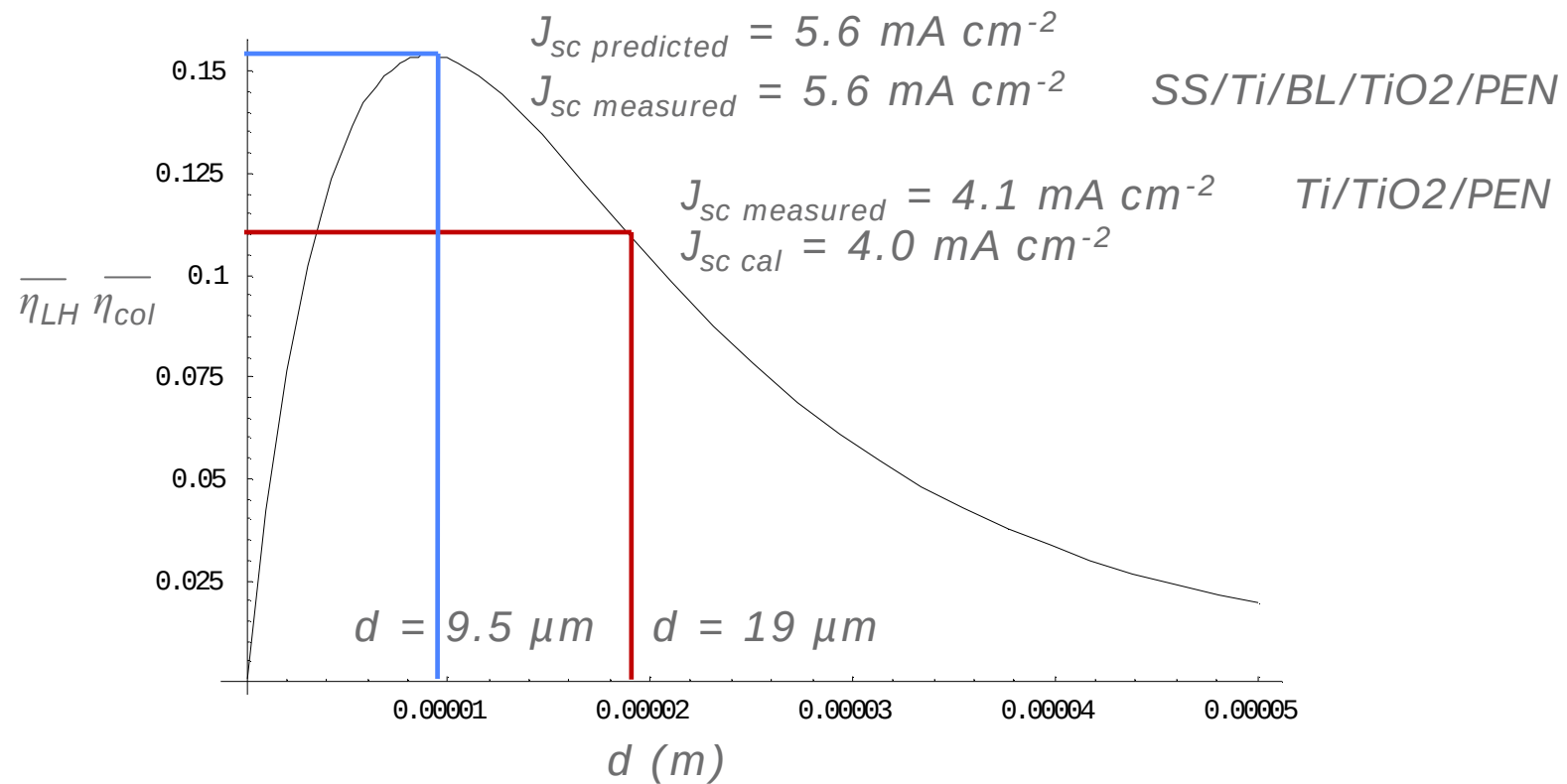
AM1.5 solar current, $\Phi = 68.3 \text{ mA cm}^{-2}$

Assume α_{N719}



Optimising cell thickness given L

$$L = 12 \mu\text{m}$$



$$J_{sc \text{ calc}} = \Phi \overline{\eta_{inj}} \overline{\eta_{inj}} \overline{\eta_{col}}$$

Comparison of dyes: TG6 with K19

A New Ruthenium-Polypyridyl Dye "TG6" Whose Performance In Dye Sensitized Solar Cells Is Surprising Close To That Of The "N719", The Dye The No-One Has Managed To Beat In 17 Years

Stronger absorption, higher photocurrent than N719

Farah Matar, Tarek H. Ghaddar et al., accepted JMC

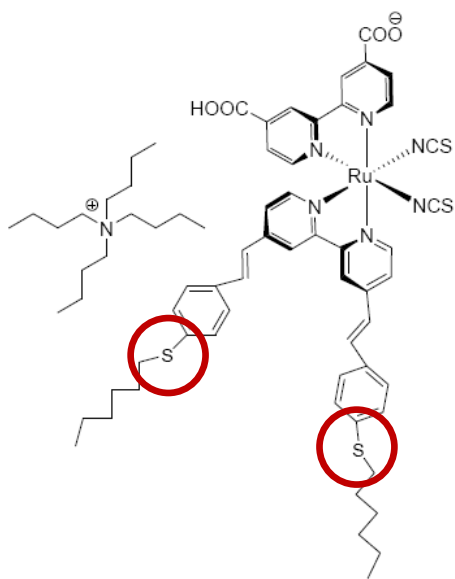


Figure 3.3 Structure of TG6

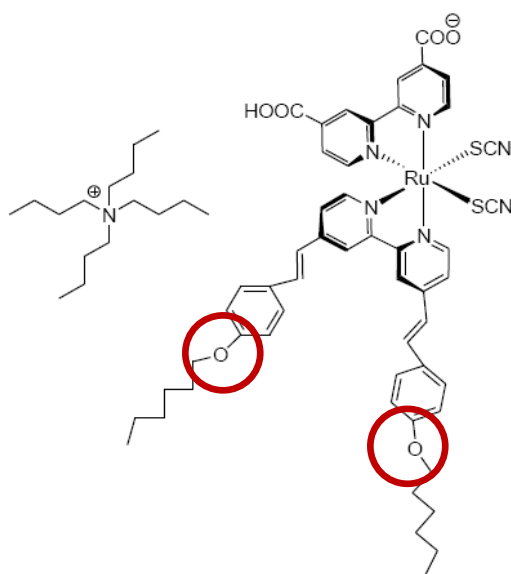
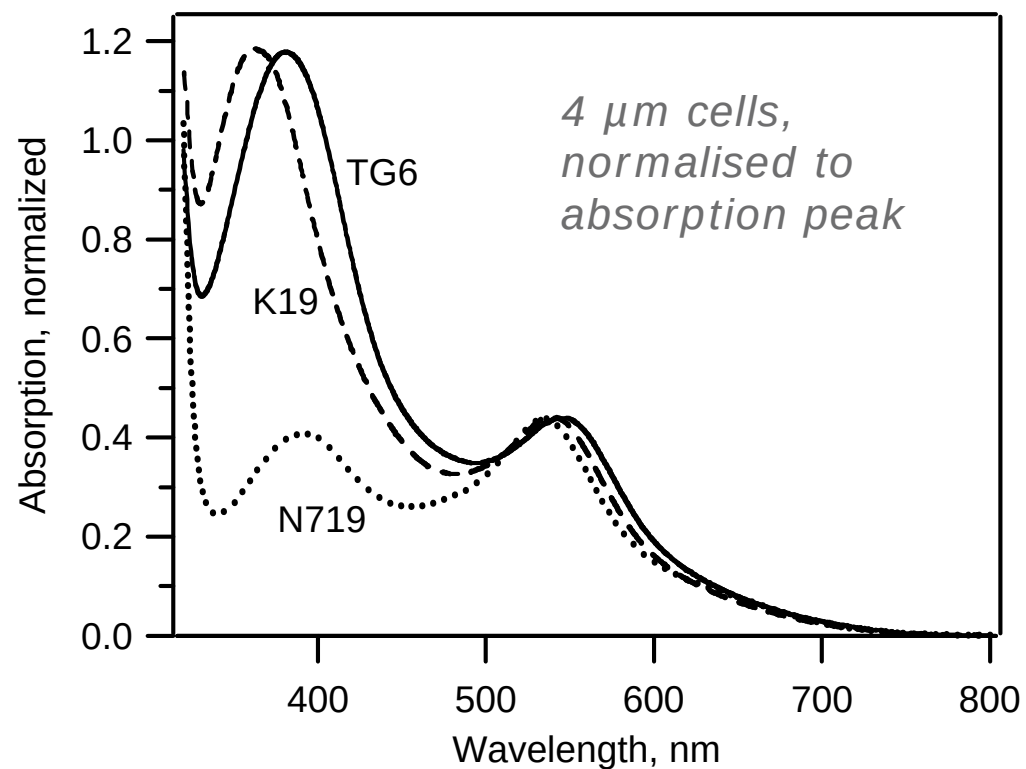


Figure 3.4 x Structure of K19

- TG6 – S
- K19 – O

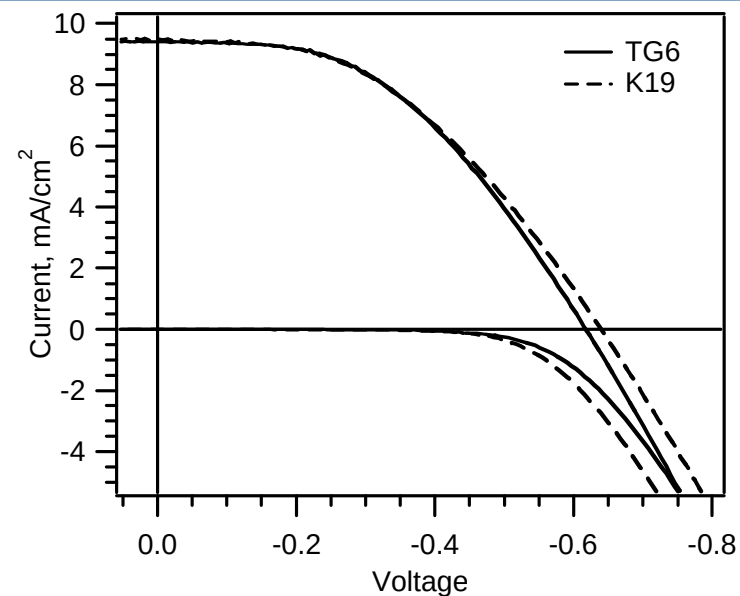
Similar absorbance – lower photovoltage



α TG6 ~ K19 > N719

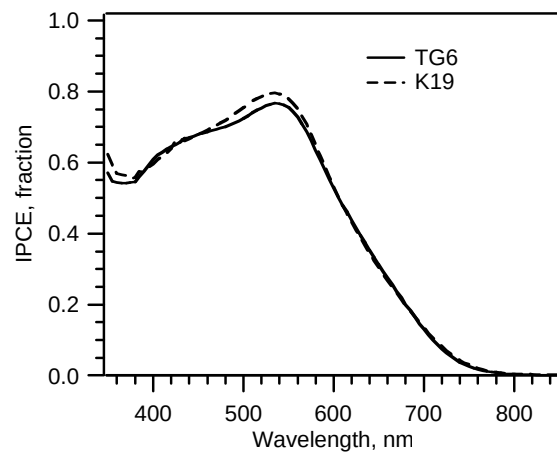
J_{sc} K19 ~ TG6 > N719

V_{oc} N719 > K19 > TG6

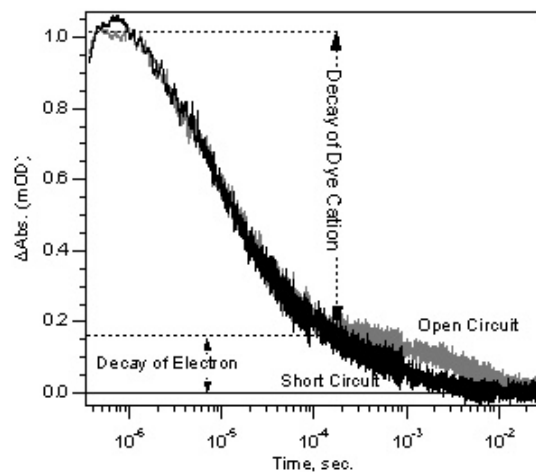


Dye	J_{sc}/mAcm^{-2}	V_{oc}/V
N719	8.14	0.71
TG6	10.05	0.64
K19	10.43	0.66

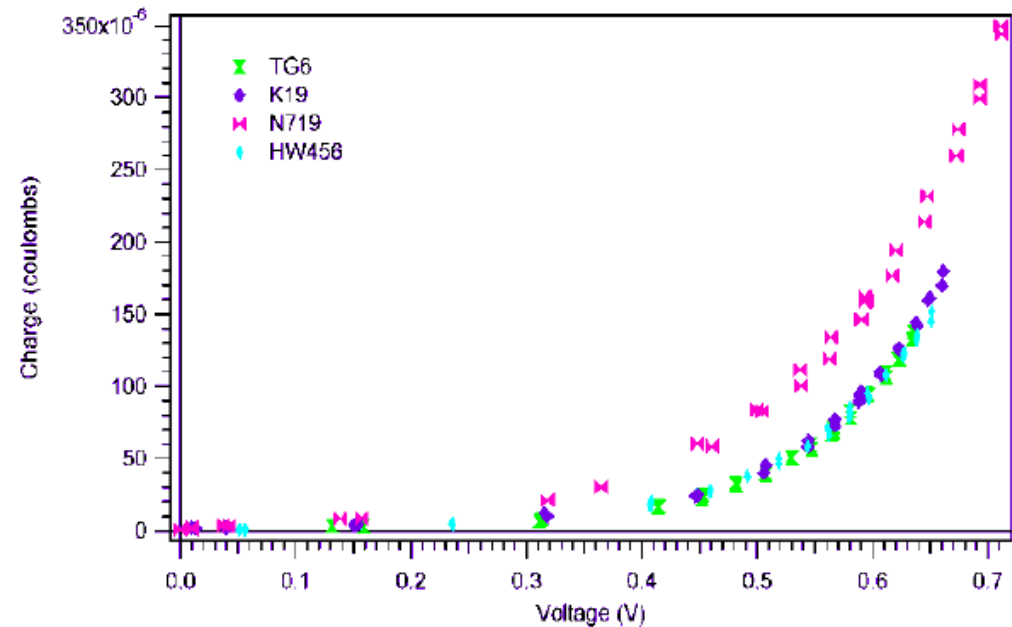
What is the influence of O $\rightarrow$ S for K19 and TG6?



*Injection
similar*

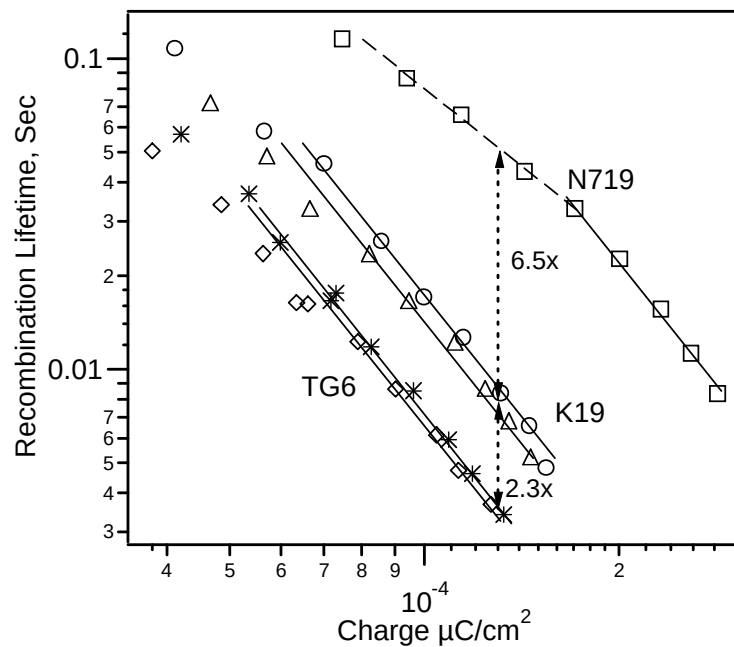


*Dye
regeneration
similar*

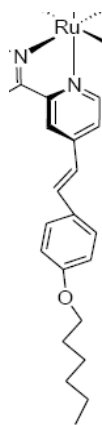


*Same band edge positions
→ same field between TiO_2 and
electrolyte
→ same driving force for
recombination*

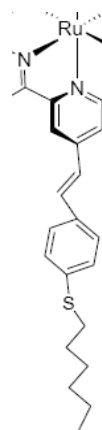
What is the influence of O $\rightarrow$ S for K19 and TG6?



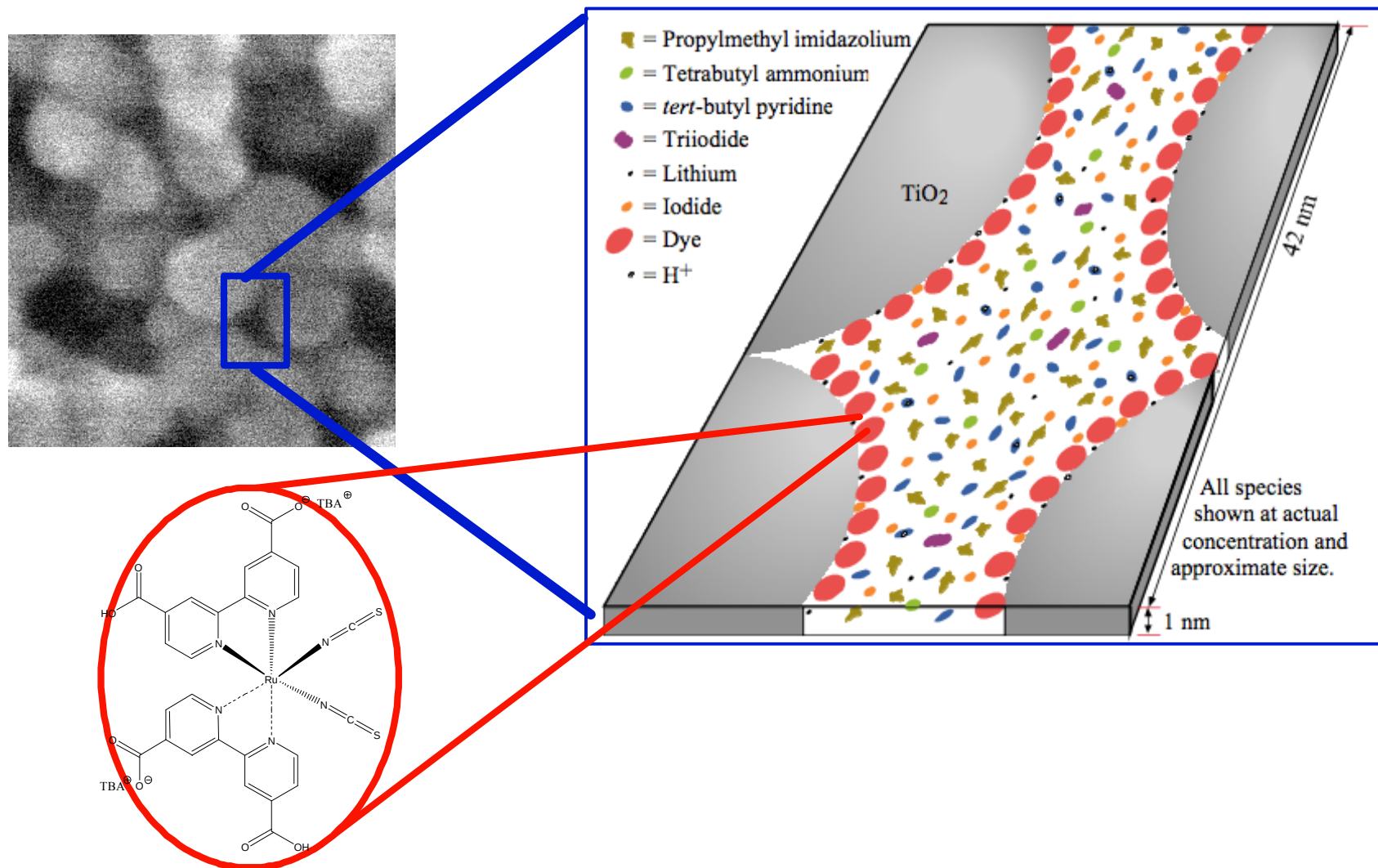
K19



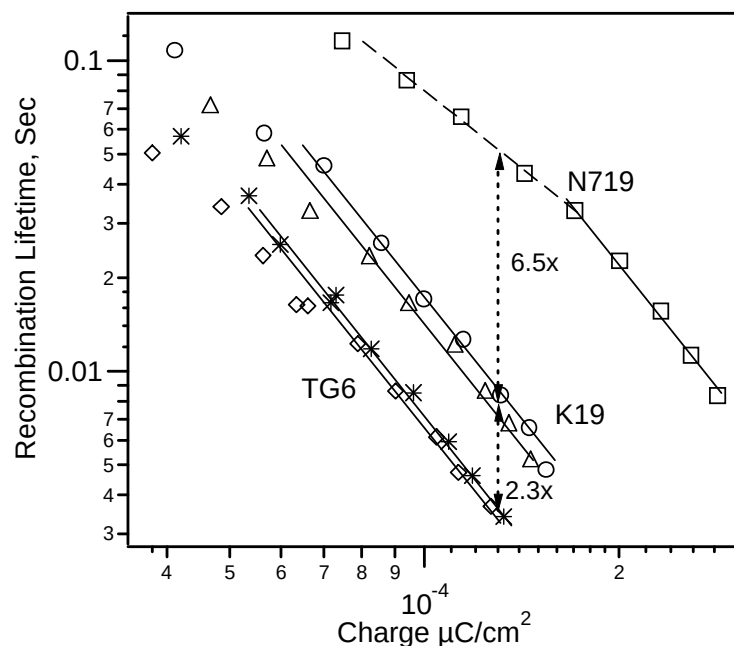
TG6



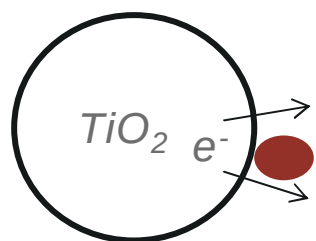
What is the influence of O $\rightarrow$ S for K19 and TG6?



What is the influence of O → S for K19 and TG6?

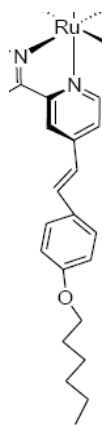


*Recombination twice as fast in
TG6 relative to K19*

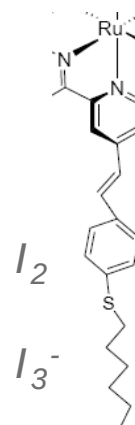


*Rate increase by
increased
concentration or
reduced activation
barrier*

K19



TG6



*Iodine binding may be
responsible*

*The iodine binding
constants in heptane:*

*Ethyl ether ~ 6
Ethyl thioether ~ 200
factor of 30 difference*

*Similar in delocalised
systems with lower
constants*

*The binding is thought to occur at the
'heteroatom' lone pair even if delocalised
→ S has a lower electron affinity than O
→ TG6 more likely to bind iodine than K19
close to cell interface*

Conclusions

- Diffusion length and electron injection efficiency can be derived from IPCE measurements and SPC, light dependence observed
- Both injection and collection are important optimisation parameters (e.g. via electrolyte additives)
- IPCE typically shows intensity dependence
- Treatment of the TiO_2 film with TiCl_4 increases L – particularly for poorly performing cells
- Features of dye molecules appear to influence recombination rates through iodine binding

Acknowledgements

Assaf Anderson – IPCE
Sara Koops – TCSPC
Kate Walley – dye
measurements
Xiaoe Li – cells on metal
James Durrant
Brian O'Regan
Farah Matar – TG6
Tarek Ghaddar – TG6

Financial support and materials

EPSRC
Dyesol
Corus



IPCE fitting expressions

$$\frac{\eta_{EE}}{\eta_{SE}} = \frac{T_{Pt} T_I \left[(L(\alpha + \alpha_I) + 1) e^{\frac{2d}{L}} - 2L(\alpha + \alpha_I) e^{d(\alpha + \alpha_I + \frac{1}{L})} + L(\alpha + \alpha_I) - 1 \right]}{(L(\alpha + \alpha_I) - 1) e^{d(\alpha + \alpha_I + \frac{2}{L})} + (L(\alpha + \alpha_I) + 1) e^{d(\alpha + \alpha_I)} - 2L(\alpha + \alpha_I) e^{\frac{d}{L}}}$$

$$\eta_{SE} = \frac{(1-R)L \eta_{inj} \alpha e^{-d(\alpha + \alpha_I)} \left[(L(\alpha + \alpha_I) - 1) e^{d(\alpha + \alpha_I + \frac{2}{L})} + (L(\alpha + \alpha_I) + 1) e^{d(\alpha + \alpha_I)} - 2L(\alpha + \alpha_I) e^{\frac{d}{L}} \right]}{\left(e^{\frac{2d}{L}} + 1 \right) [L^2(\alpha + \alpha_I)^2 - 1]}$$

$$\eta_{EE} = \frac{(1-R) T_{Pt} T_I L \eta_{inj} \alpha e^{-d(\alpha + \alpha_I)} \left[(L(\alpha + \alpha_I) + 1) e^{\frac{2d}{L}} - 2L(\alpha + \alpha_I) e^{d(\alpha + \alpha_I + \frac{1}{L})} + L(\alpha + \alpha_I) - 1 \right]}{\left(e^{\frac{2d}{L}} + 1 \right) [L^2(\alpha + \alpha_I)^2 - 1]}$$